

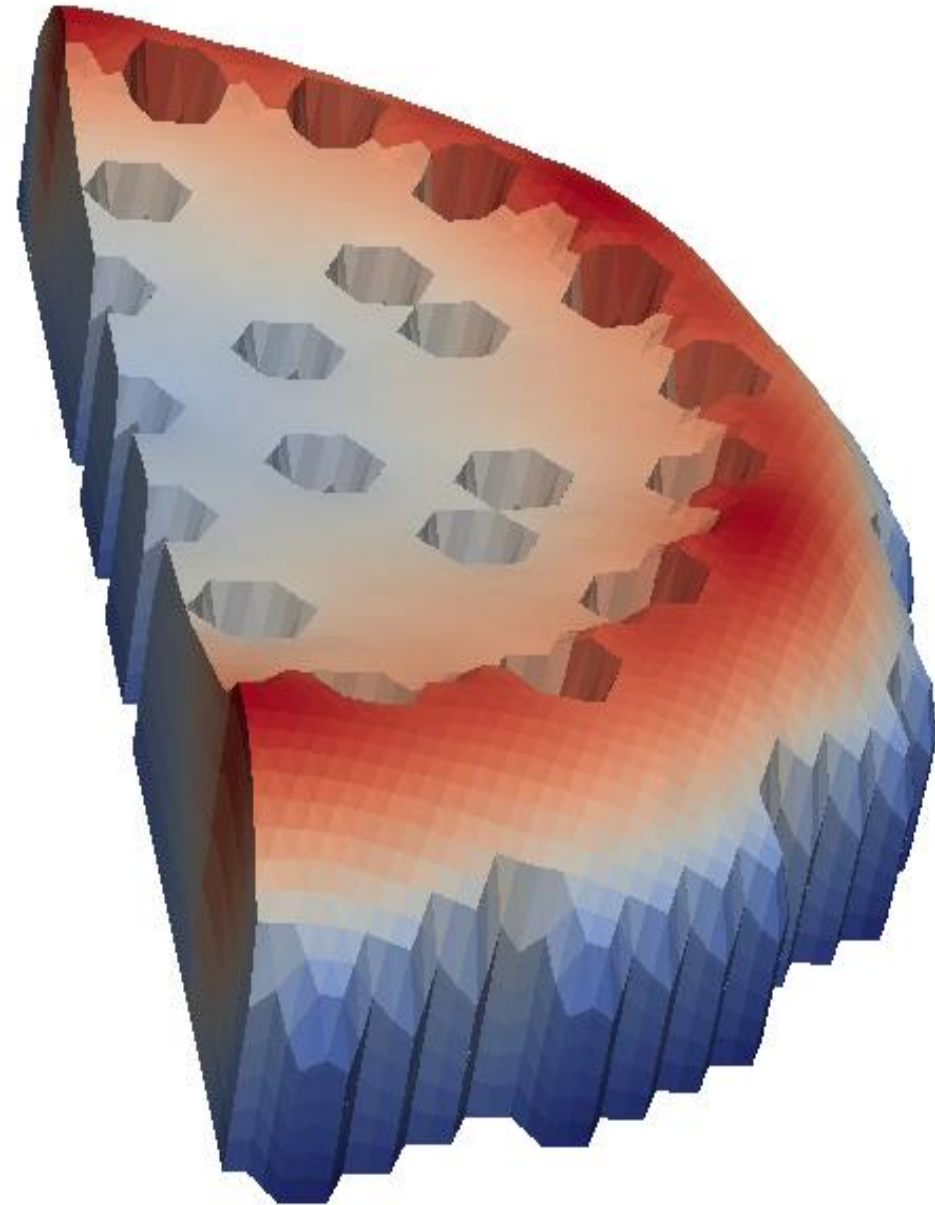
Ecole Polytechnique Fédérale de Lausanne

EPFL

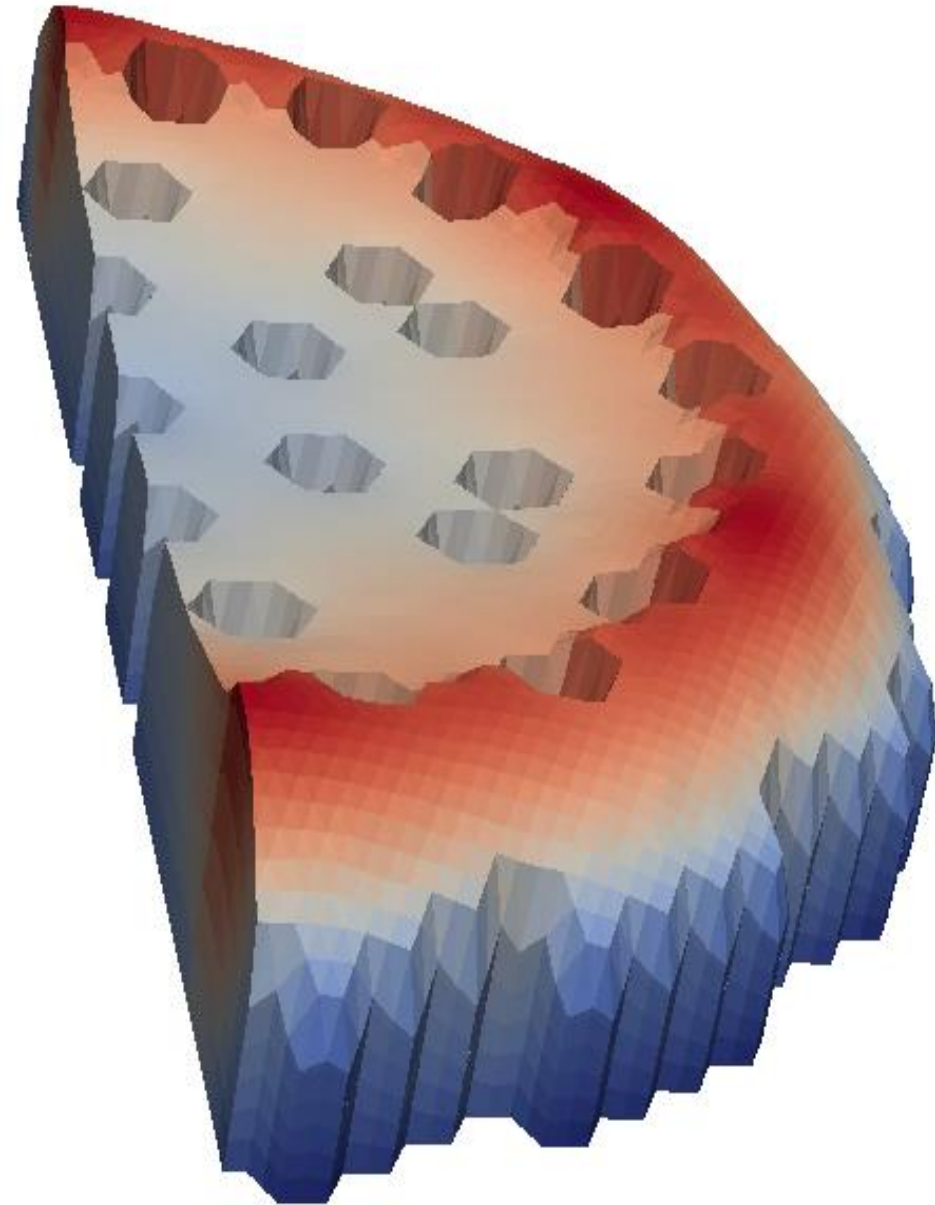


**GeN-Foam: an OpenFOAM based multi-physics solver for
nuclear reactor analysis**

- Background
- The GeN-Foam solver
- Ongoing developments



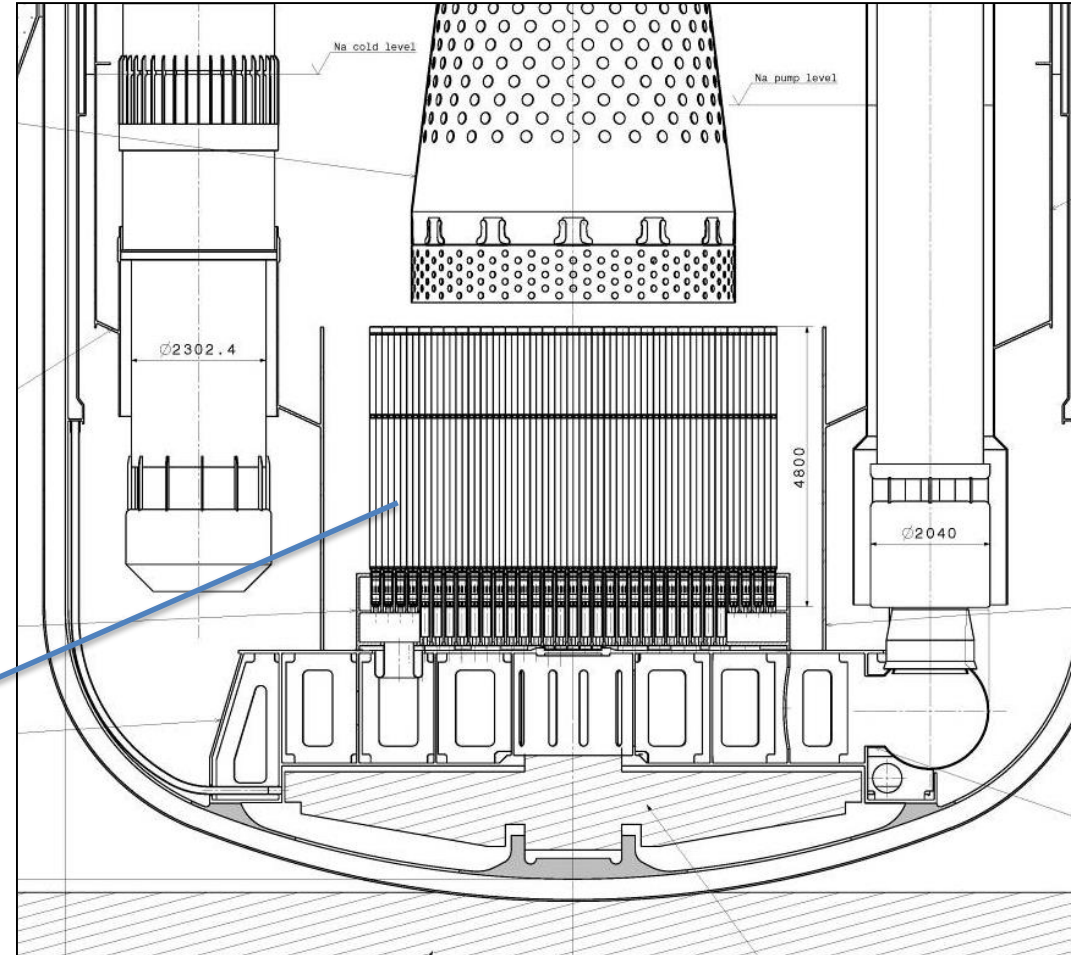
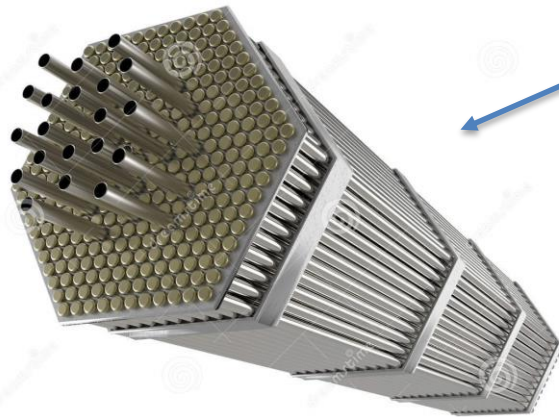
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Background

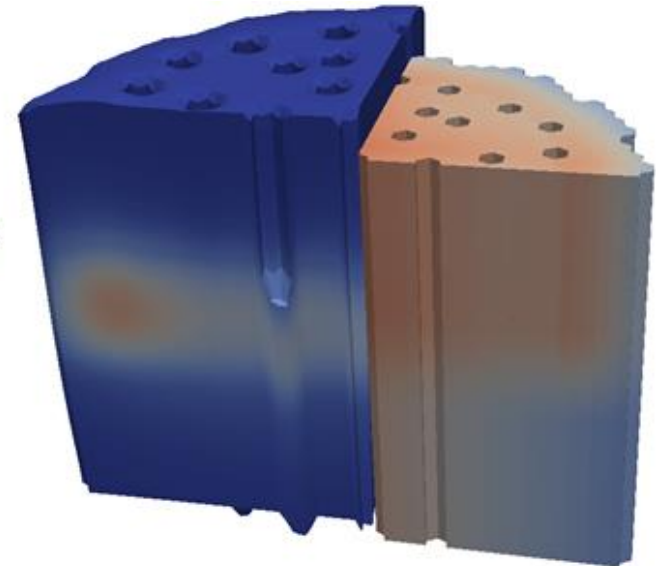
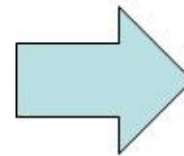
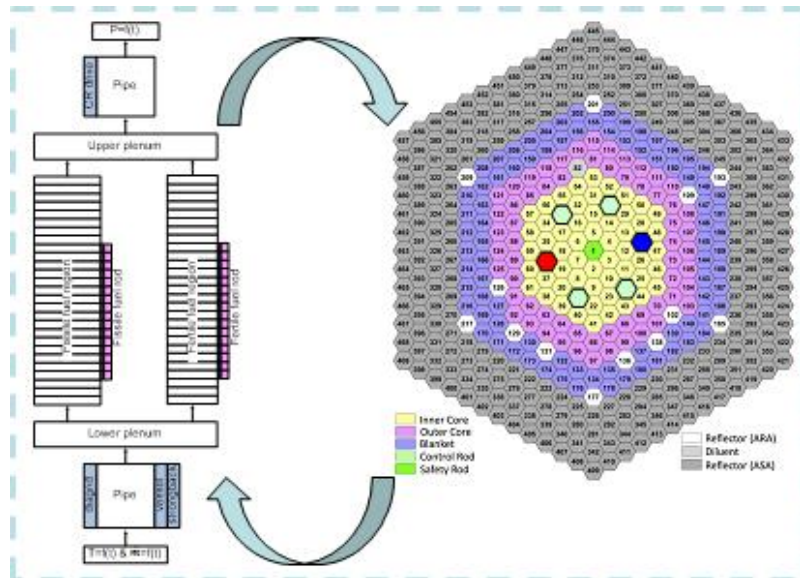
■ Nuclear reactor simulation:

- ✓ Fluid dynamics (complex core plus pool or loop with HXs)
- ✓ Heat transfer
- ✓ Neutron transport (fission of heavy nuclides, transport of neutrons, and interaction with matter)
- ✓ Thermal expansions (influence chain reaction)
- ✓ Mass transfer (neutron poisons, neutron emitters)

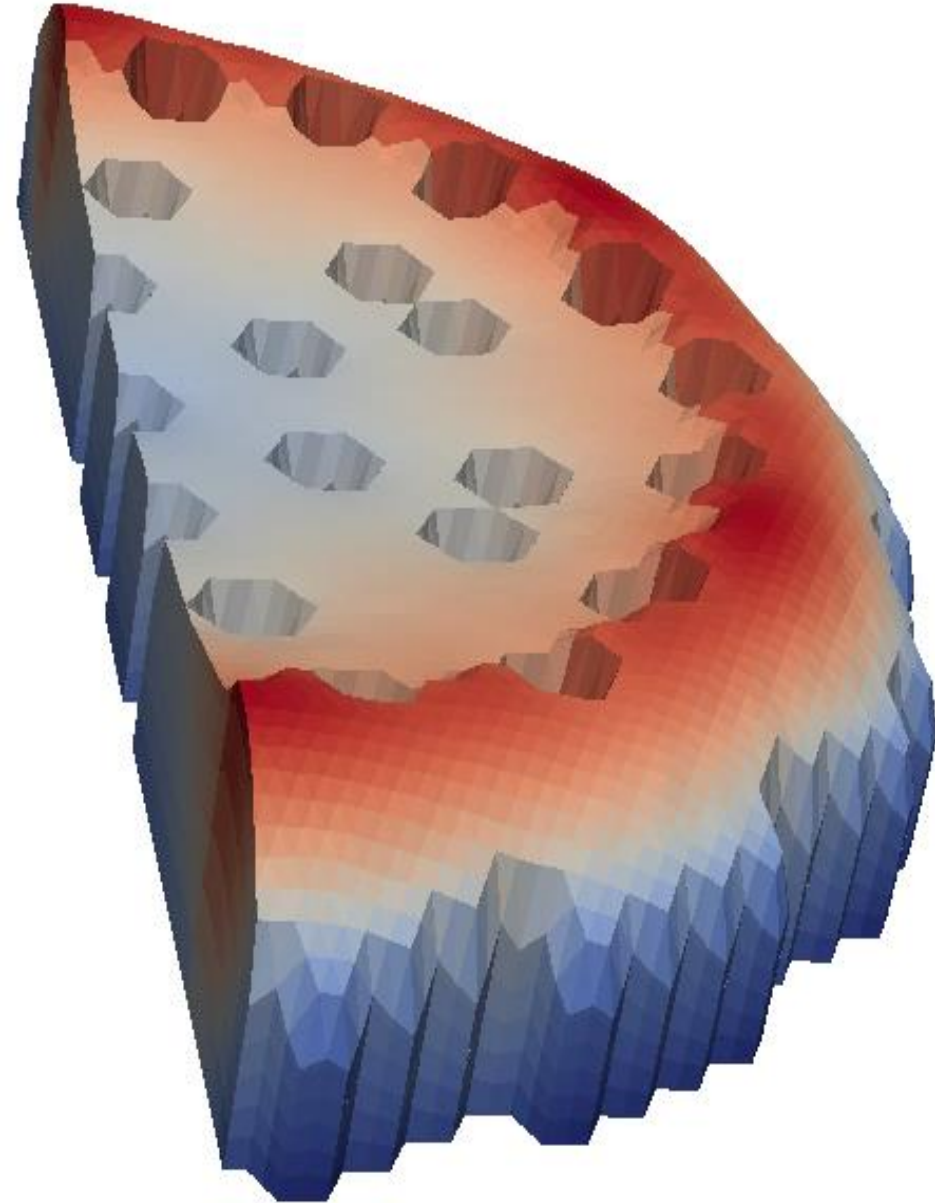


Background

- **Objective: steady state temperature and flow distribution + response to accidents**
- **Legacy 1D thermal-hydraulic codes + neutronic codes with structured mesh coupled externally**
- **Objective at EPFL: development and validation of a modern multi-physics tool** featuring:
 - ✓ **tight, modern coupling** (no data-transfer interface between codes)
 - ✓ **high performance** (parallel computing)
 - ✓ **flexibility** (easy modification, implementation of new features, unstructured meshes)
- What for: **state-of-the-art multi-physics tool** to supplement “legacy” codes

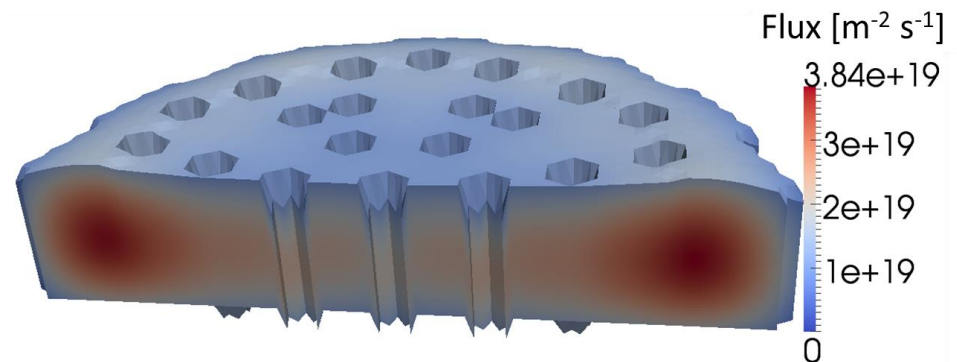
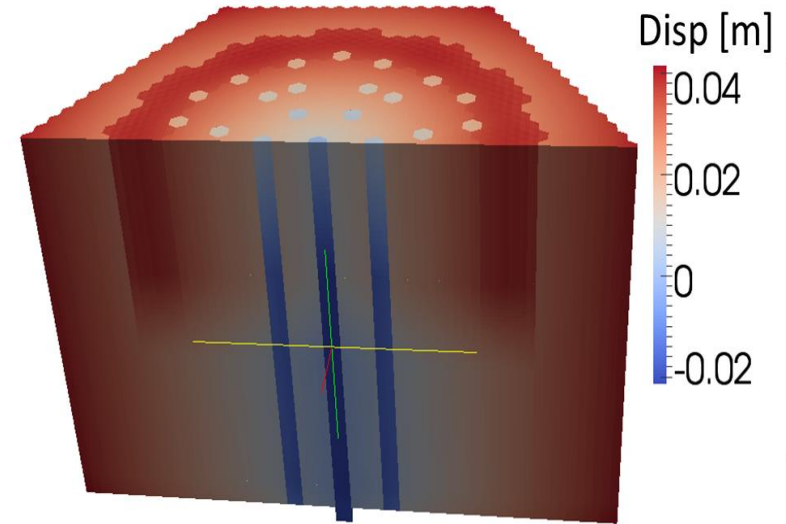
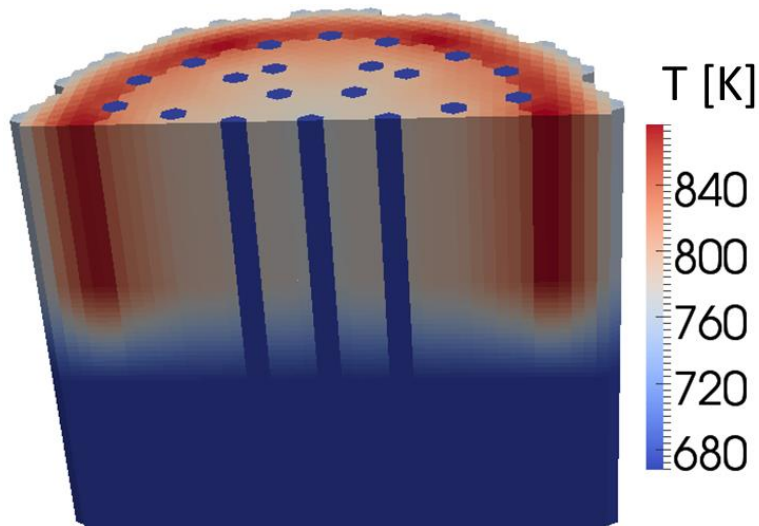


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GeN-Foam – Generalized Nuclear Foam

- 2D or 3D transient analysis of full core and/or primary loop
- Solves for:
 - ✓ Coarse/fine mesh thermal hydraulics
 - ✓ Subscale fuel temperature field (coarse mesh)
 - ✓ Neutronics (neutron transport)
 - ✓ Thermal mechanics
- Implicitly coupled (semi)
- Three independent unstructured meshes
- Adaptive time step (cfl + max power variation)



Coarse/fine mesh thermo-hydraulics

- Coarse mesh with porous medium equations for selected mesh zones (no Darcy, but full NS + source terms):

$$\frac{\partial \gamma \rho}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u}) = 0$$

$$\frac{\partial \gamma \rho \mathbf{u}}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u} \otimes \mathbf{u}) = \nabla \cdot (\mu_T \nabla \mathbf{u}) - \nabla \gamma p + p_i \nabla \gamma + \gamma \mathbf{F}_g + \gamma \mathbf{F}_{ss}$$

$$\mathbf{F}_{ss} = \kappa(\mathbf{u}_D) \cdot \mathbf{u}_D$$

$$\kappa(\mathbf{u}_D)_{ii} = \frac{f_{D,i} \rho u_{D,i}}{2D_h \gamma^2}$$

$$f_{D,i} = A_{f_{D,i}} Re^{B_{f_{D,i}}}$$

$$\frac{\partial \gamma \rho e}{\partial t} + \nabla \cdot (\mathbf{u} \gamma (\rho e + p)) = \nabla \cdot (\gamma k_T \nabla T) + \gamma \mathbf{F}_{ss} \cdot \mathbf{u} + \gamma \dot{Q}_{ss}$$

$$\dot{Q}_{ss} = A_V h (T_{SS} - T)$$

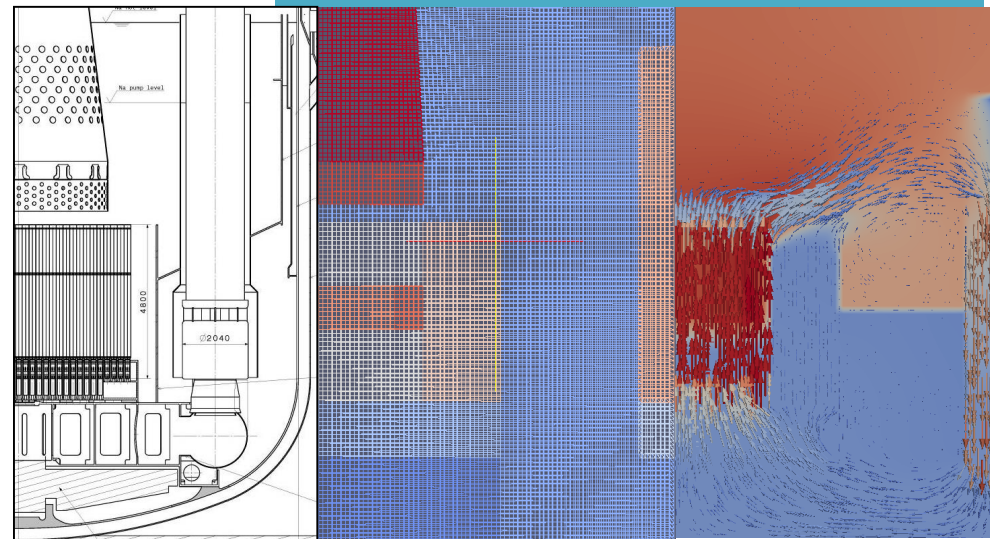
$$Nu_i = A_{Nu,i} Re^{B_{Nu,i}} Pr^{C_{Nu,i}} + D_{Nu,i}$$

$$\rho_{SS} c_{p,ss} \frac{\partial T_{SS}}{\partial t} = \nabla \cdot (\gamma \mathbf{k}_{SS} \nabla T) + A_V h (T - T_{SS})$$

- Source term to replicate standard correlations for pressure drops and heat transfer
- Equivalent to 1D in main flow direction, but possibility to investigate some 3D effects
- One set of equations

```
fvm::ddt(rho, U)
+ (1/porosity)*fvm::div(phi, U)
+ turb.divDevRhoReff(U)
- porousMedium.momentumSource(U)
```

```
fvm::ddt(rho*porosity, he) +
fvm::div(phi, he) +
fvc::ddt(rho*porosity, K) +
fvc::div(phi, K) +
fvc::div(fvc::absolute(phi/fvc::interpolate(rho), U), p, "div(phi,v,p)") -
fvm::laplacian(turb.alphaEff(), he)
==
porousMedium.externalVolHeatSource() -
porousMedium.heatTransferCoefficient()*
porousMedium.volumetricArea()
*(thermo.T()-Tstructures) +
subscaleFuel.heatSources(...)
```



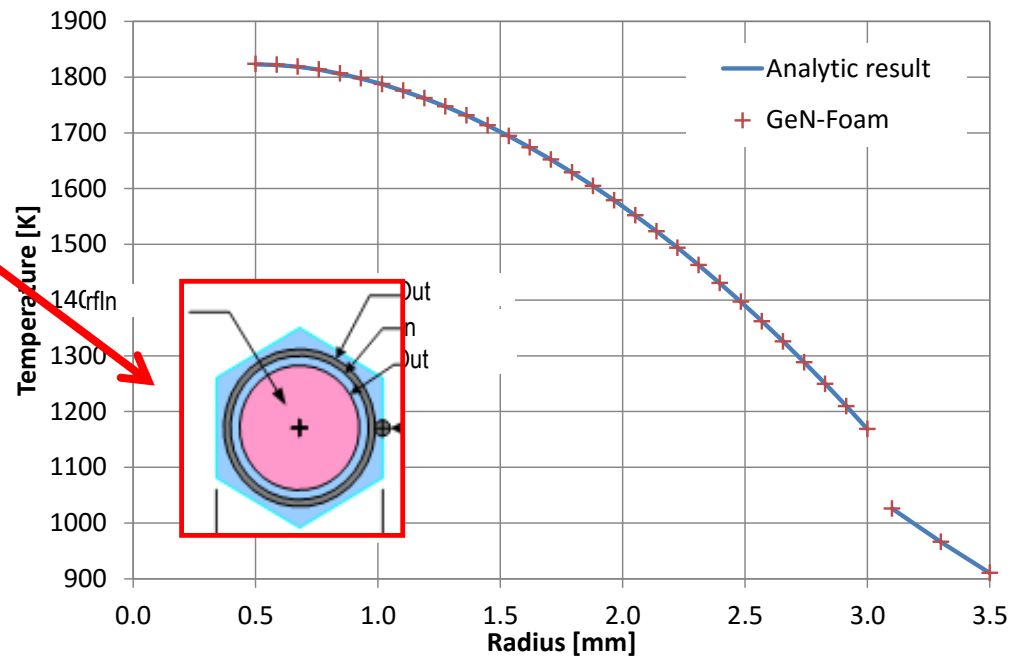
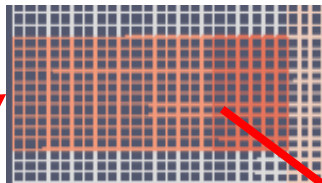
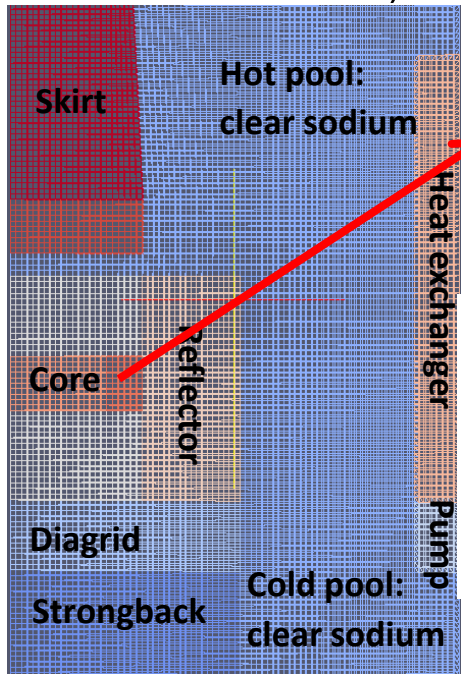
Fuel model

- Used for **coarse-mesh treatment of core regions**
- It evaluates **temperature profiles in cladding and fuel**, for each cell in the fuel region
- It returns the **heat source for the thermal-hydraulic solver**
- Finite-difference second-order implicit** solution for temperatures in subscale fuel and cladding. **1-D problem** (no axial conduction)

```
fvm::ddt(rho*porosity, he) +
...
==
... +
subscaleFuel.heatSources(...)
```

$$\rho_f c_{p,f} \frac{\partial T_f}{\partial t} = k_f \frac{\partial^2 T_f}{\partial r^2} + k_f \frac{1}{r} \frac{\partial T_f}{\partial r} + \dot{Q}_f$$

$$\rho_c c_{p,c} \frac{\partial T_c}{\partial t} = k_c \frac{\partial^2 T_c}{\partial r^2} + k_c \frac{1}{r} \frac{\partial T_c}{\partial r}$$

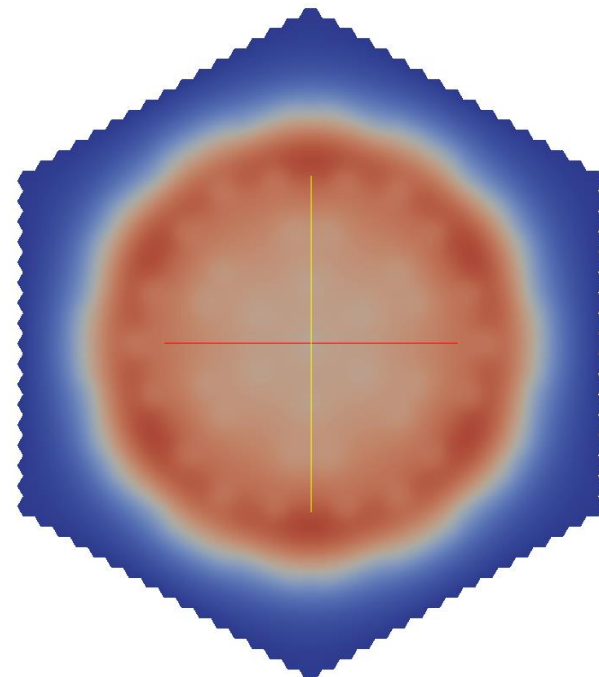
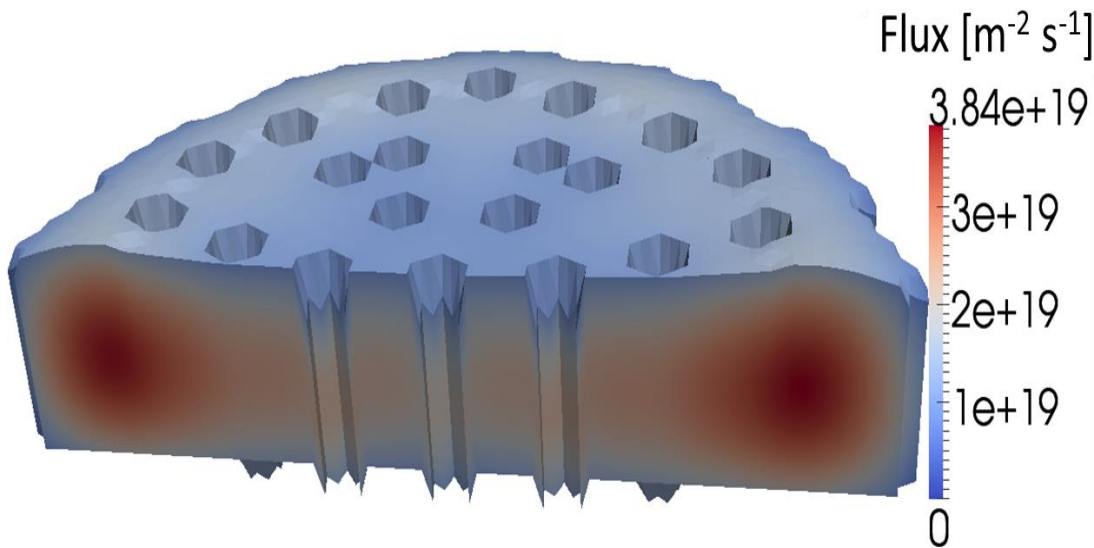


Neutronics – diffusion / SP3

- **Multi-group diffusion or SP3** with user-selected energy groups and discontinuity factors
- **Eigenvalue** (power iteration) or **time dependent**
- **Mesh deformed** according to displacement field (direct prediction of expansion-related feedbacks)

$$\frac{1}{v_i} \frac{\partial \hat{\phi}_{0,i}}{\partial t} = \nabla \cdot D_i \nabla \hat{\phi}_{0,i} + \frac{v \Sigma_{f,i} (1 - \beta_t) \chi_{p,i}}{k_{eff}} \hat{\phi}_{0,i} - \Sigma_{r,i} \hat{\phi}_{0,i} + \frac{S_{n,i} (1 - \beta_t) \chi_{p,i}}{k_{eff}} + S_d \chi_{d,i} + S_{s,i} + 2 \Sigma_{r,i} \varphi_{2,i} + 2 \frac{1}{v_i} \frac{\partial \varphi_{2,i}}{\partial t}$$

$$\frac{3}{v_i} \frac{\partial \varphi_{2,i}}{\partial t} = \frac{3}{7} \nabla \cdot \frac{1}{\Sigma_{t,i}} \nabla \varphi_{2,i} - \left(\frac{5}{3} \Sigma_t + \frac{4}{3} \Sigma_{r,i} \right) \varphi_{2,i} + \frac{2}{3} \Sigma_{r,i} \hat{\phi}_{0,i} - \frac{2 v \Sigma_{f,i} (1 - \beta_t) \chi_{p,i}}{3 k_{eff}} \hat{\phi}_{0,i} - \frac{2}{3} \frac{S_{n,i} (1 - \beta_t) \chi_{p,i}}{k_{eff}} - \frac{2}{3} S_d \chi_{d,i} - \frac{2}{3} S_{s,i} + \frac{2}{3} \frac{1}{v_i} \frac{\partial \hat{\phi}_{0,i}}{\partial t}$$



Neutronics – discrete ordinates

- Developed for accurate neutronic calculations

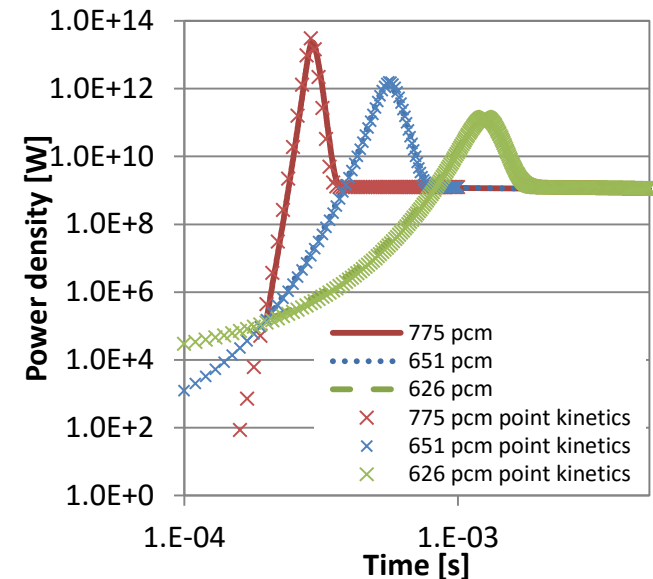
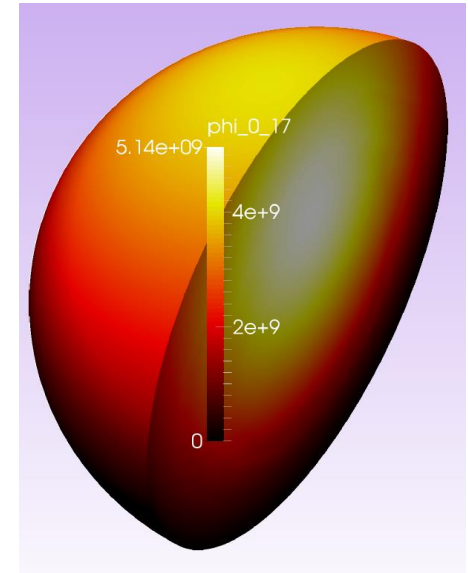
- Discrete ordinates:

- Neutrons subdivided based on energy and direction:

$$\frac{\partial \varphi_{ei,di}}{V_{ei} \partial t} + \nabla \cdot (\Omega \cdot \varphi_{ei,di}) + \Sigma_{t,ei} \varphi_{ei,di} = S_{ei,di}$$

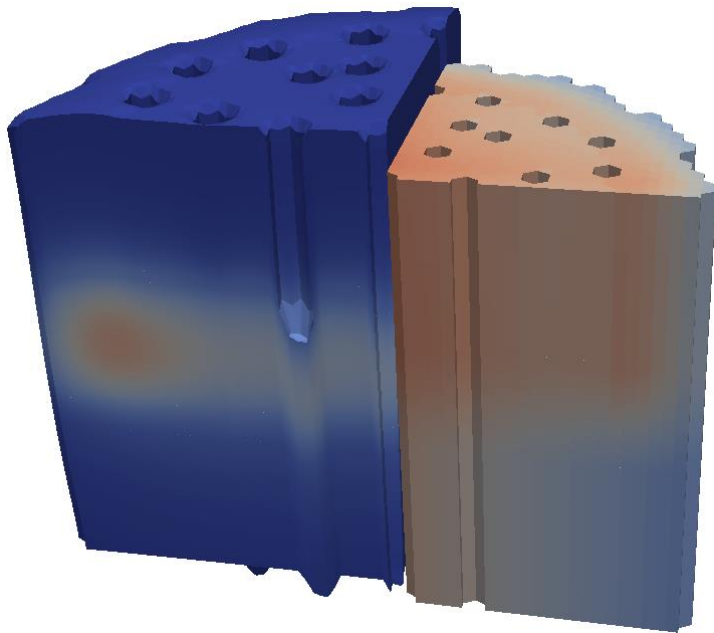
with S left explicit and Picard iterations

- User-selected scattering approx (P1,...,P7), number of energy groups, number of directions
- Eigenvalue / time dependent calculations**
- Good candidate for implementation in GeN-Foam
- Requires optimization

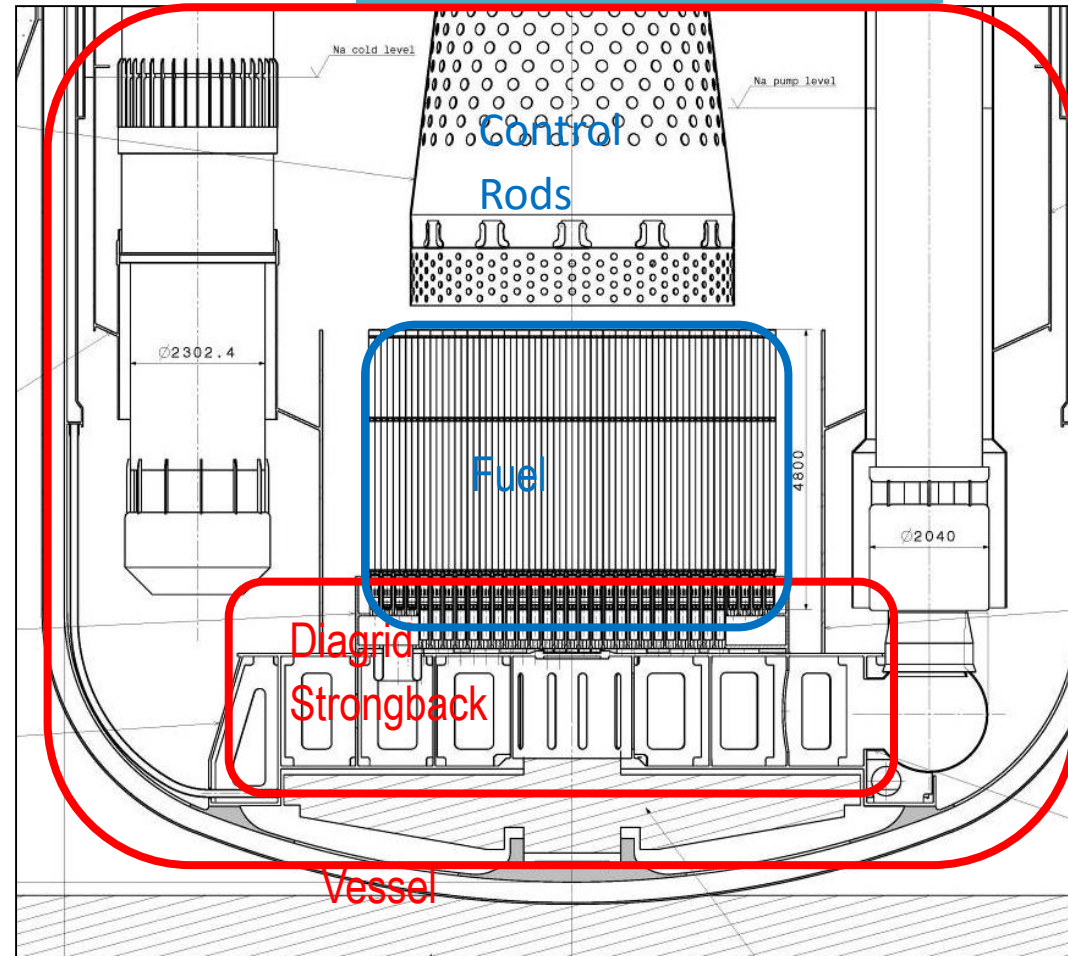


Thermal mechanics

- To displace **neutronic mesh** in fast reactor calculations
- Available displacement-based solver can be used for general **structures**
- **Fuel and CR driveline** expansion is based on expansion coefficients
$$\mathbf{v}_f \cdot \nabla D_f = \alpha_{f/c} (T_{f/c} - T_{f/c,ref})$$

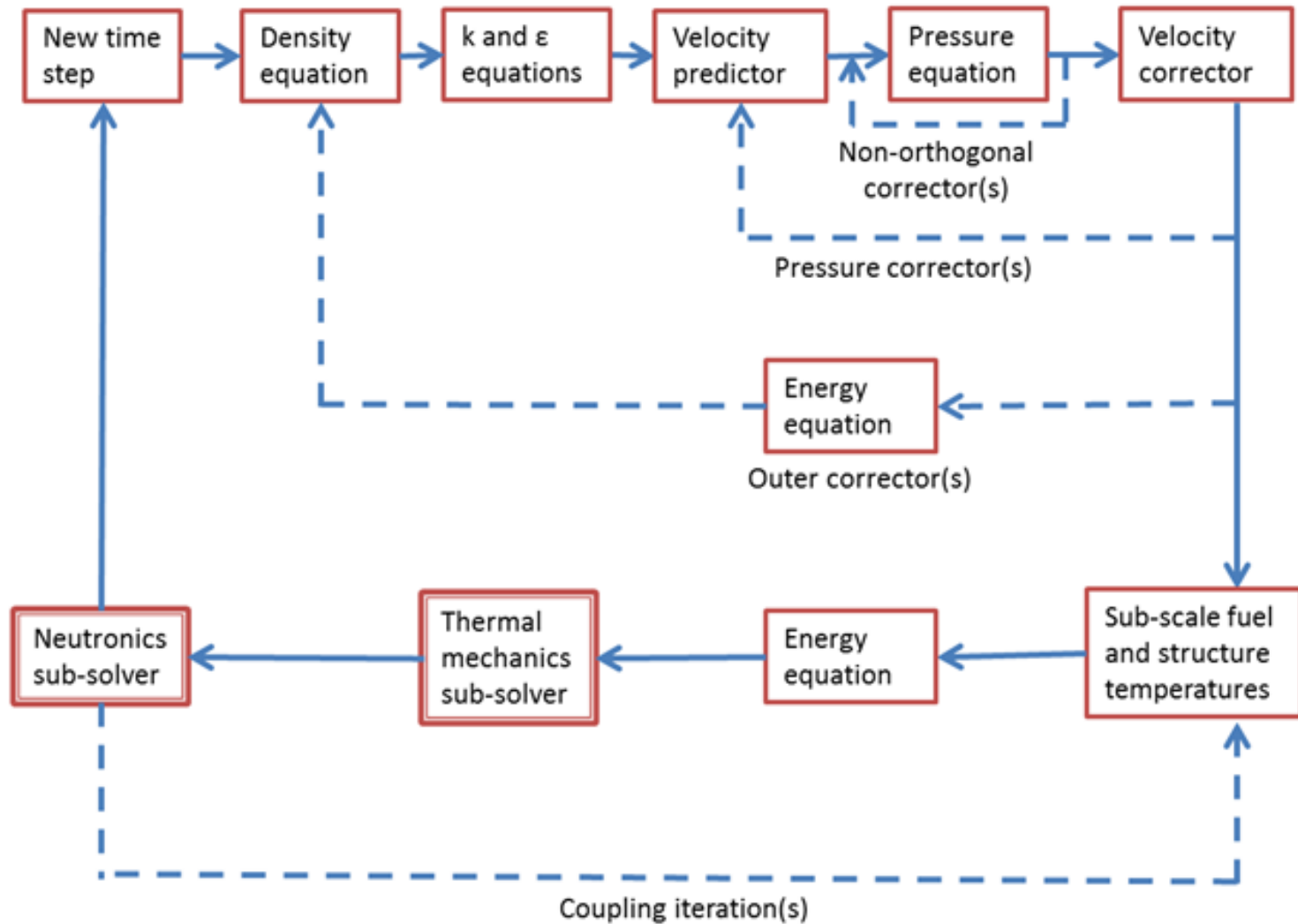


```
fvm::d2dt2(Disp) ==  
fvm::laplacian(2*mu + lambda,  
Disp, "laplacian(DD,D)") +  
divSigmaExp
```



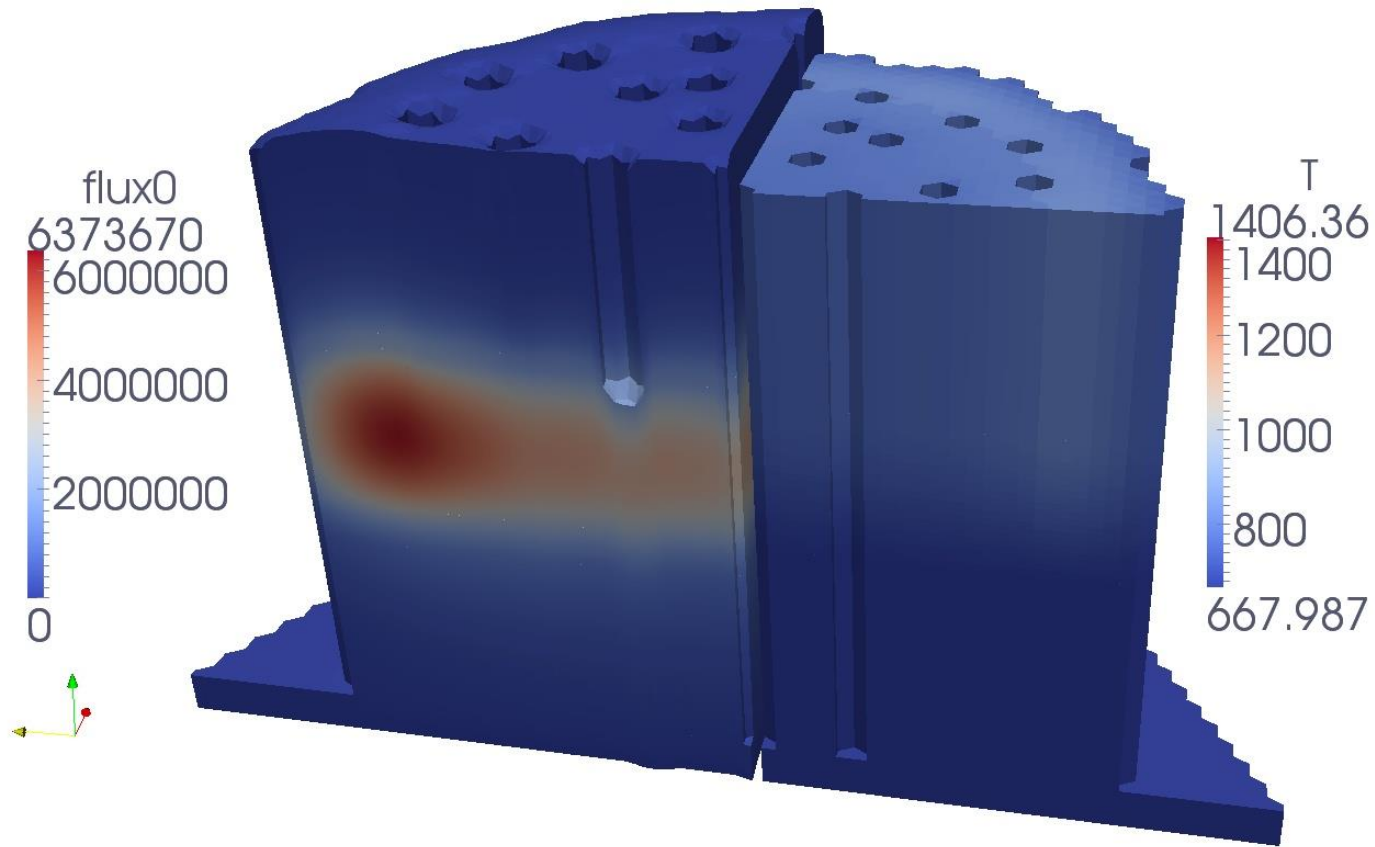
Coupling strategy

- Coupling based on PIMPLE loop + iteration on energy/thermal-mechanics/neutronics



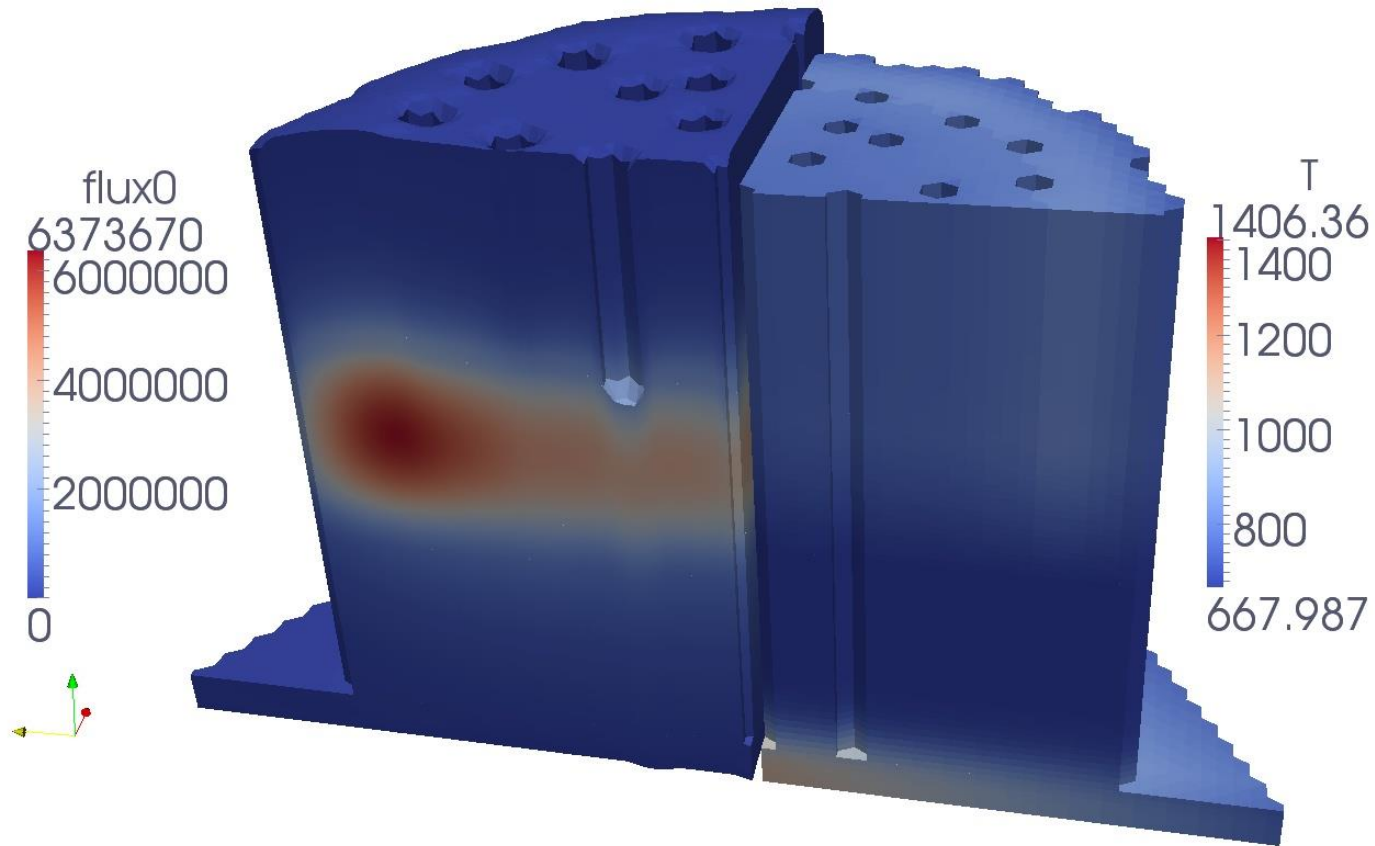
Examples – the ESFR

- Example of a **ULOF/ULOHS**



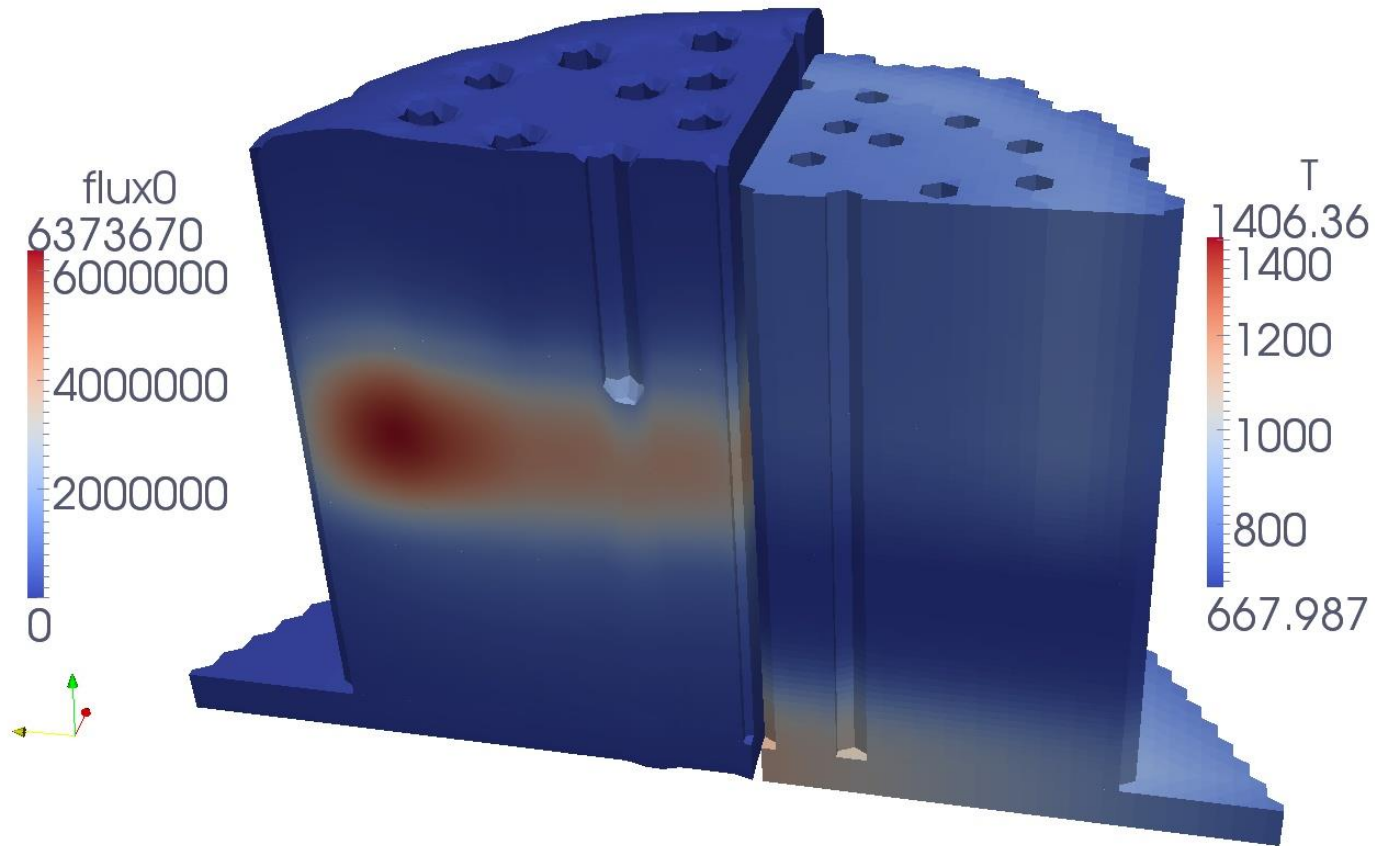
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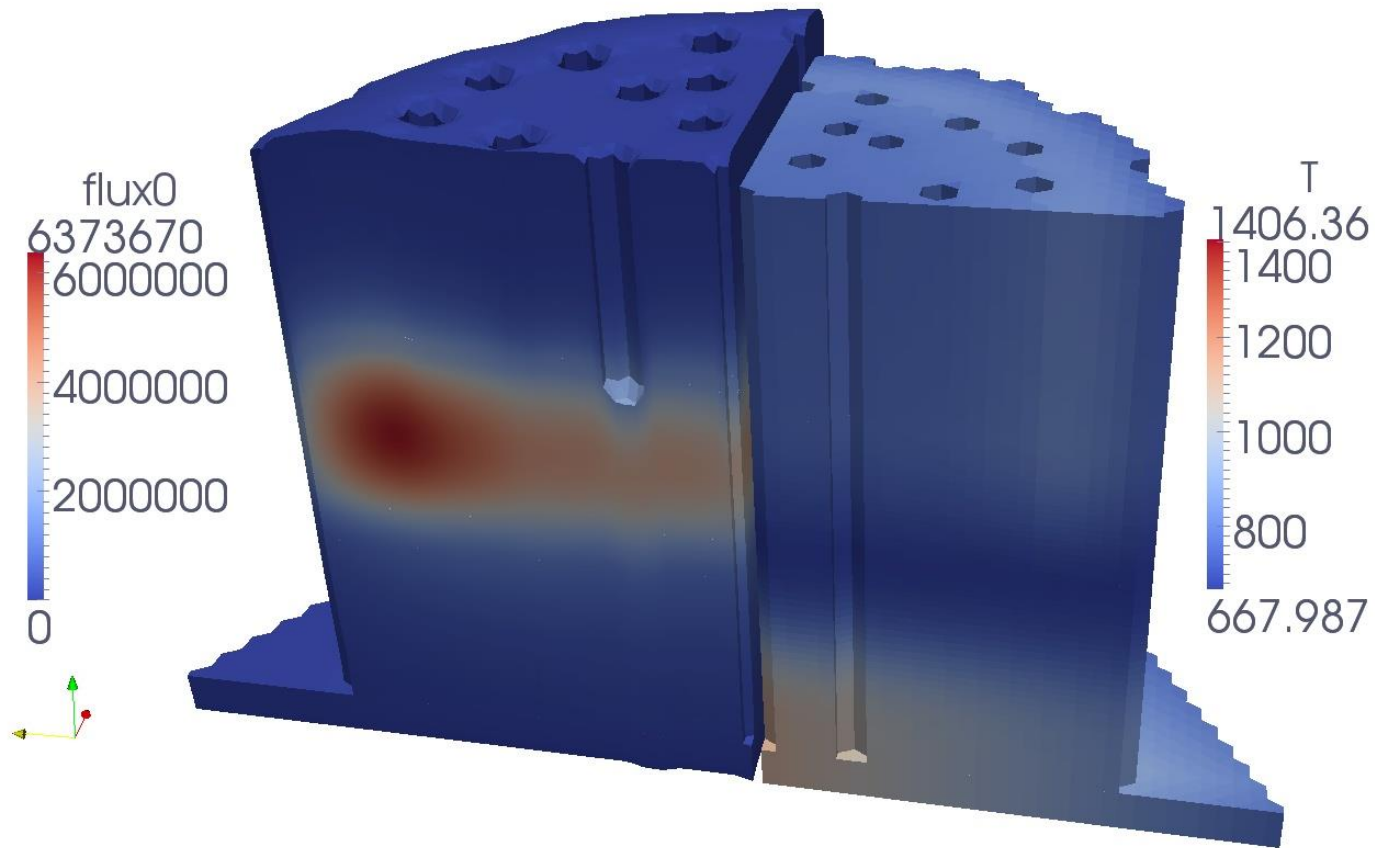
Examples – the ESFR

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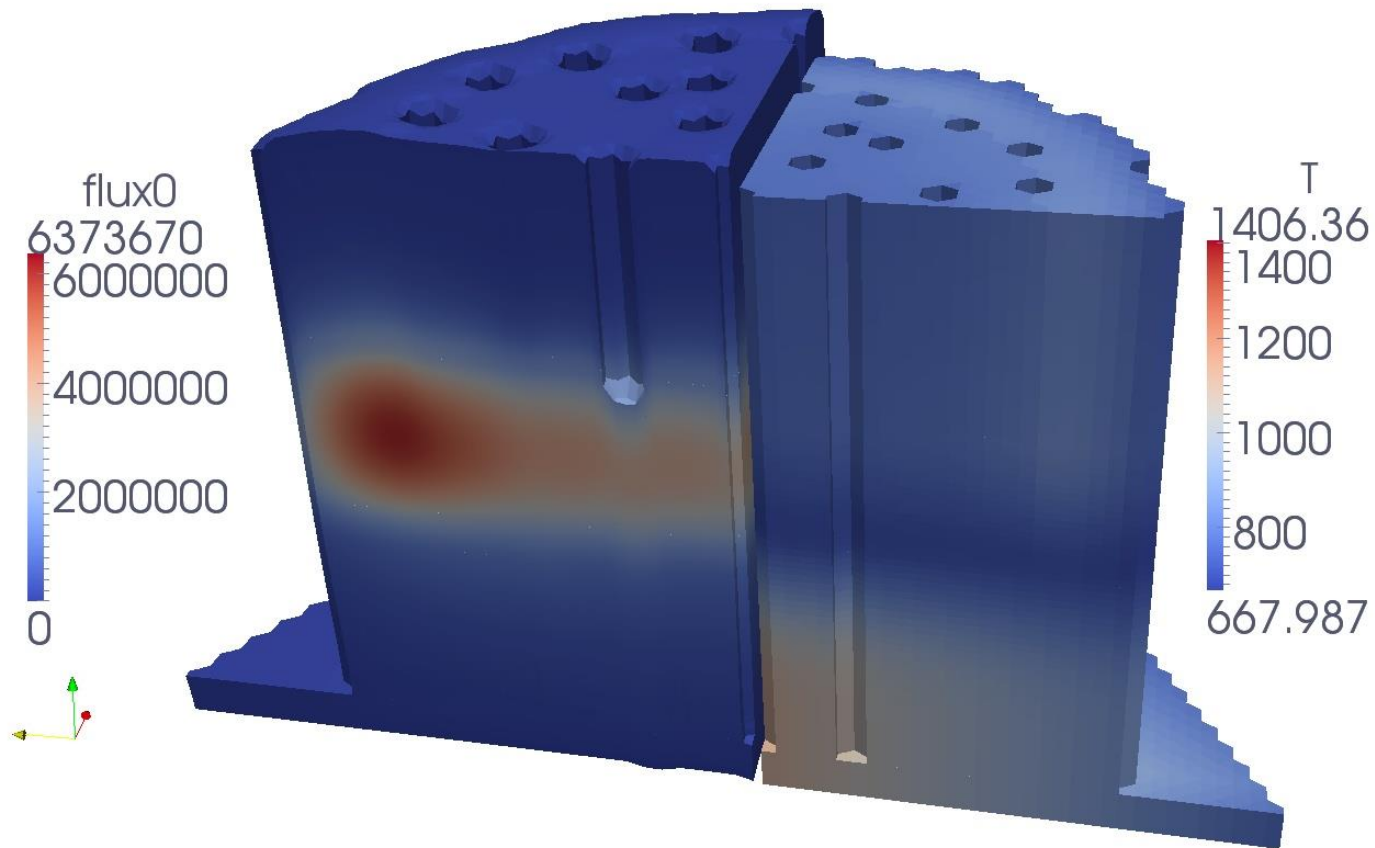
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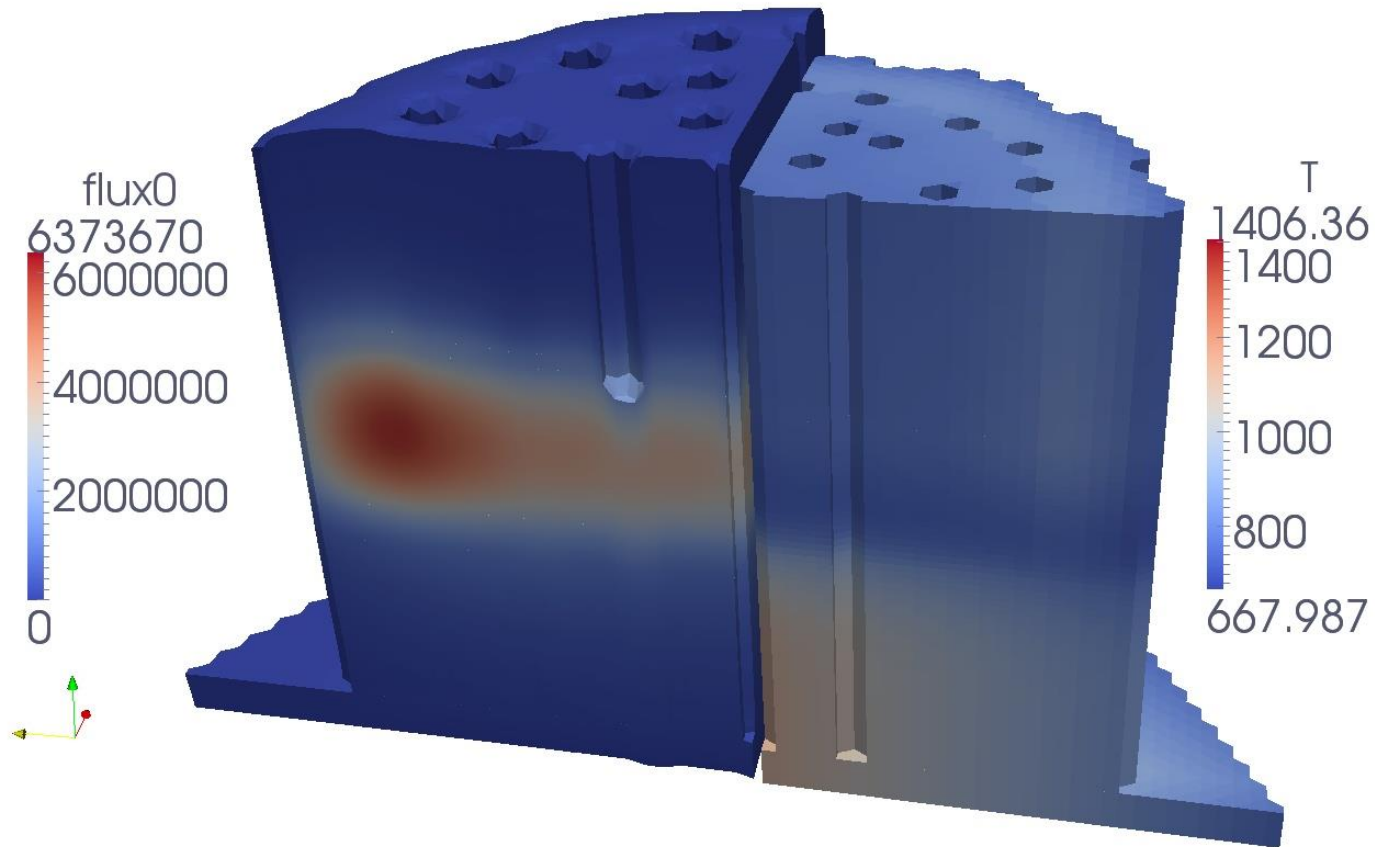
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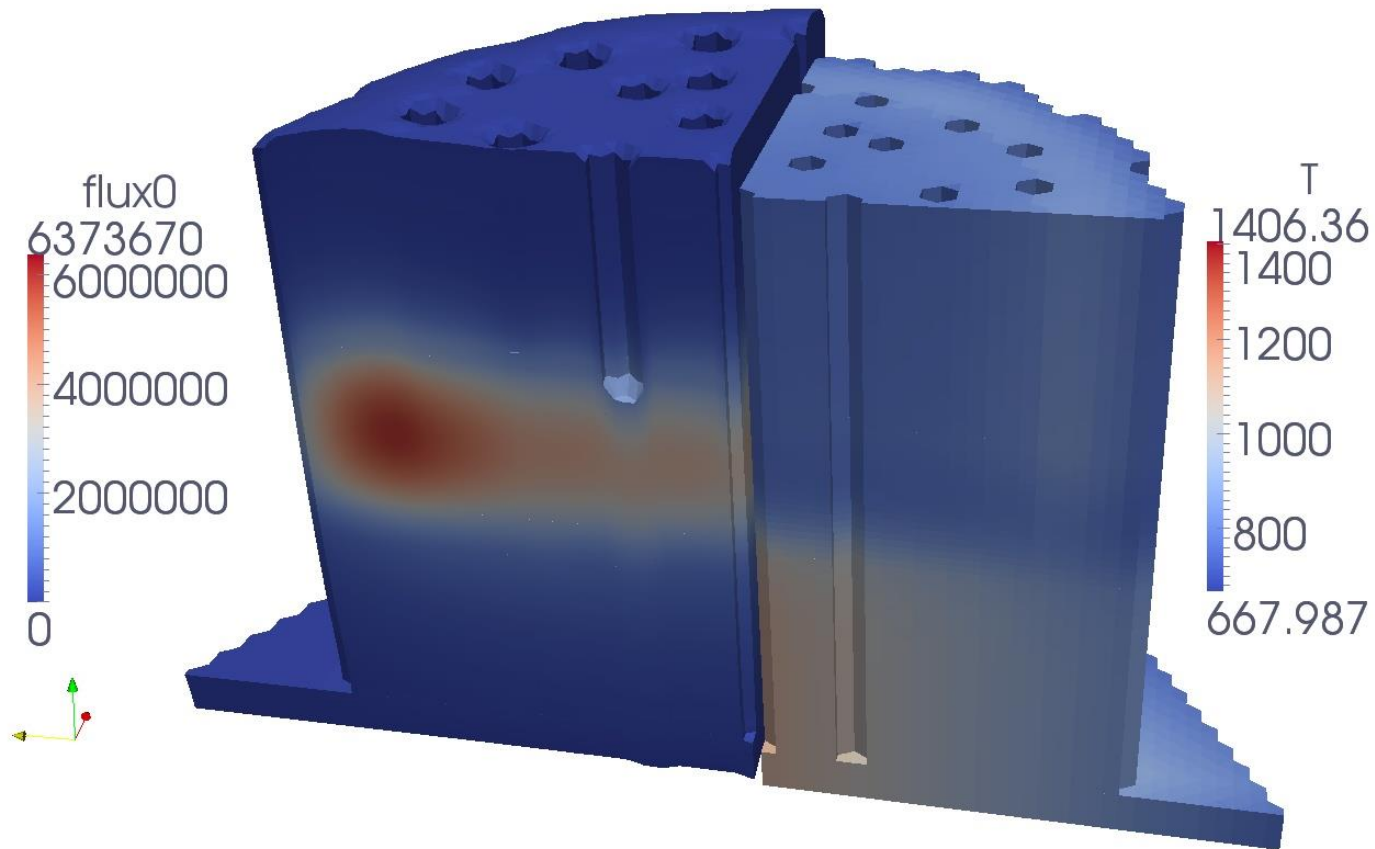
Examples – the ESFR

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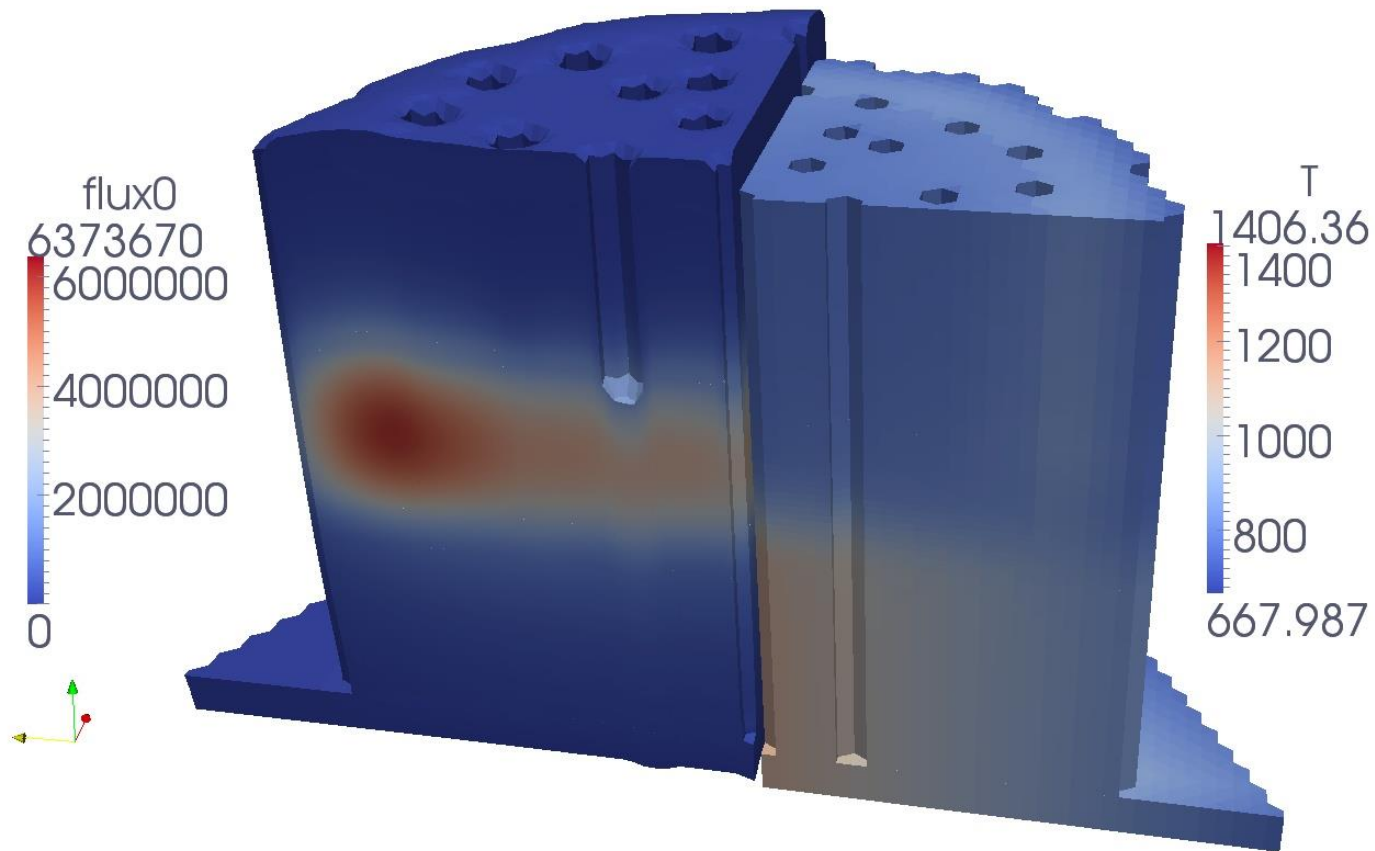
Examples – the ESFR

- Example of a **ULOF/ULOHS**



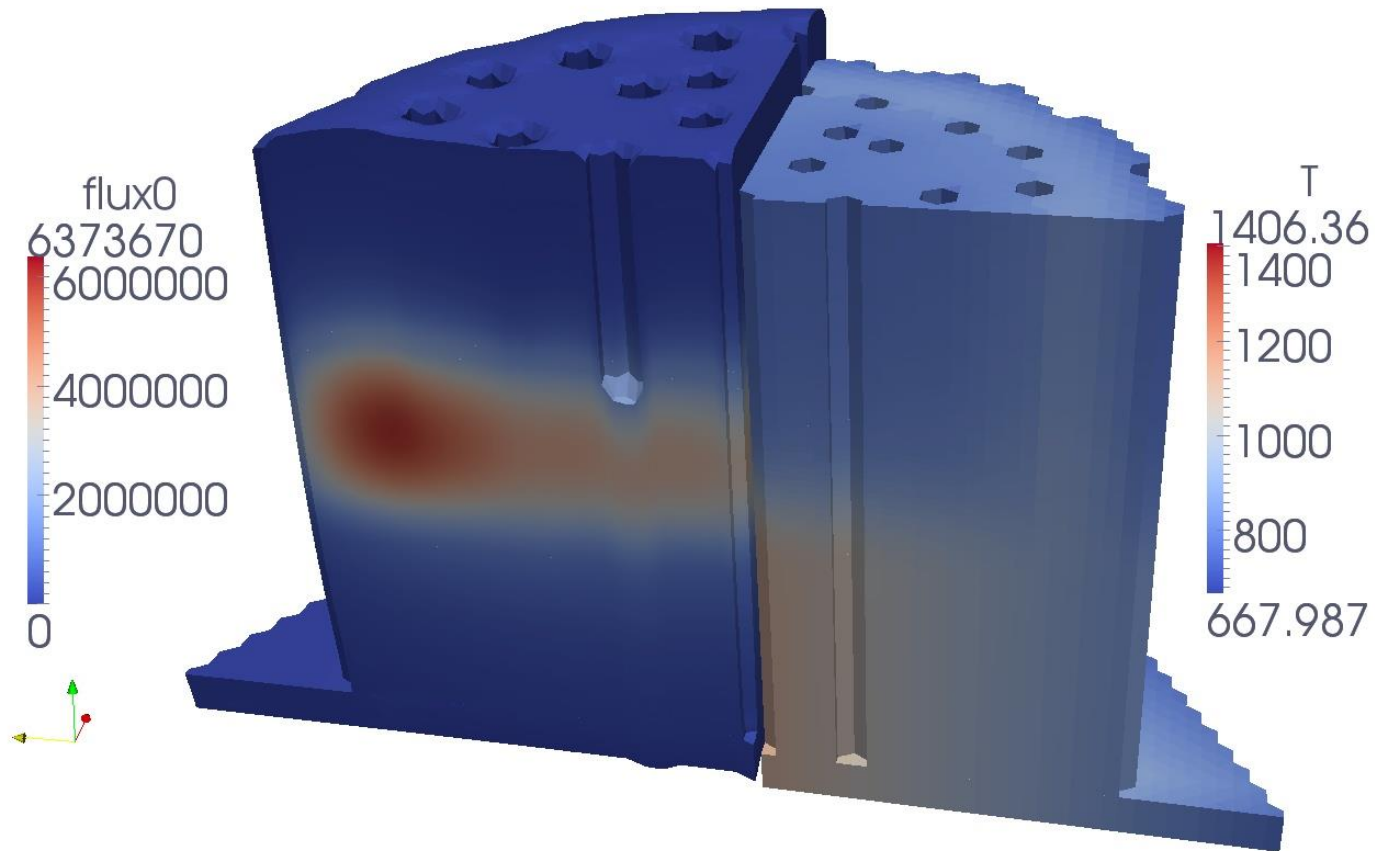
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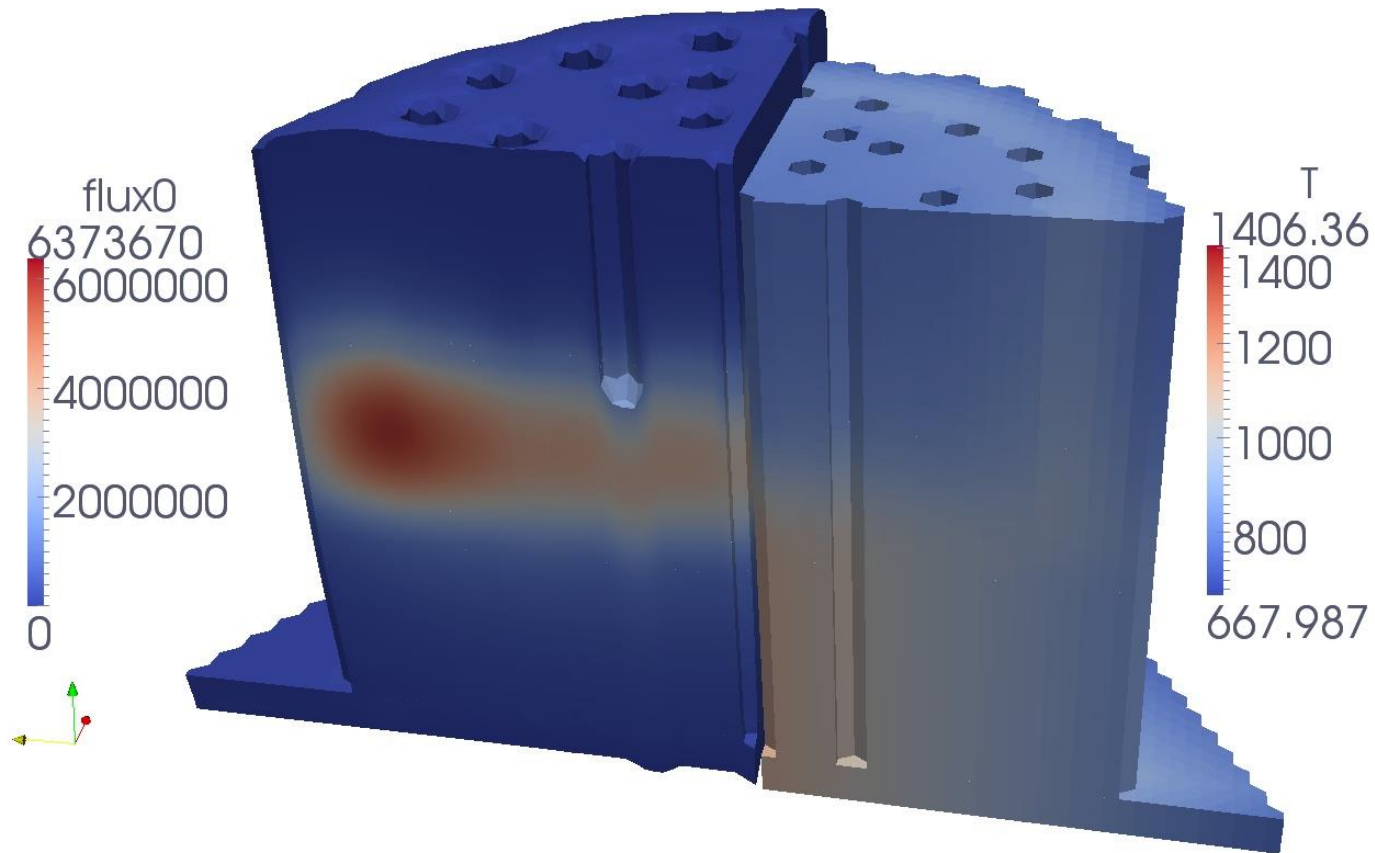
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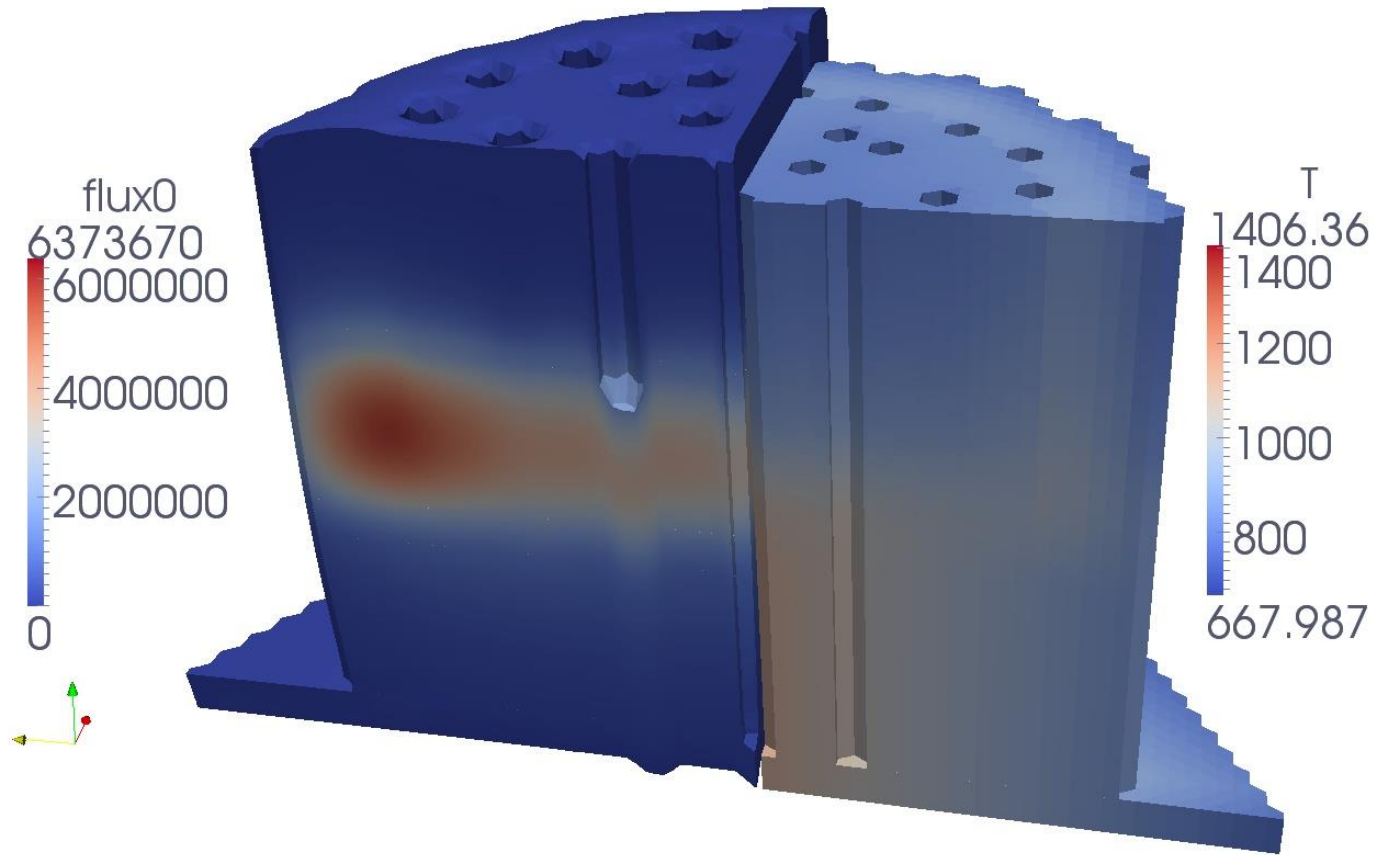
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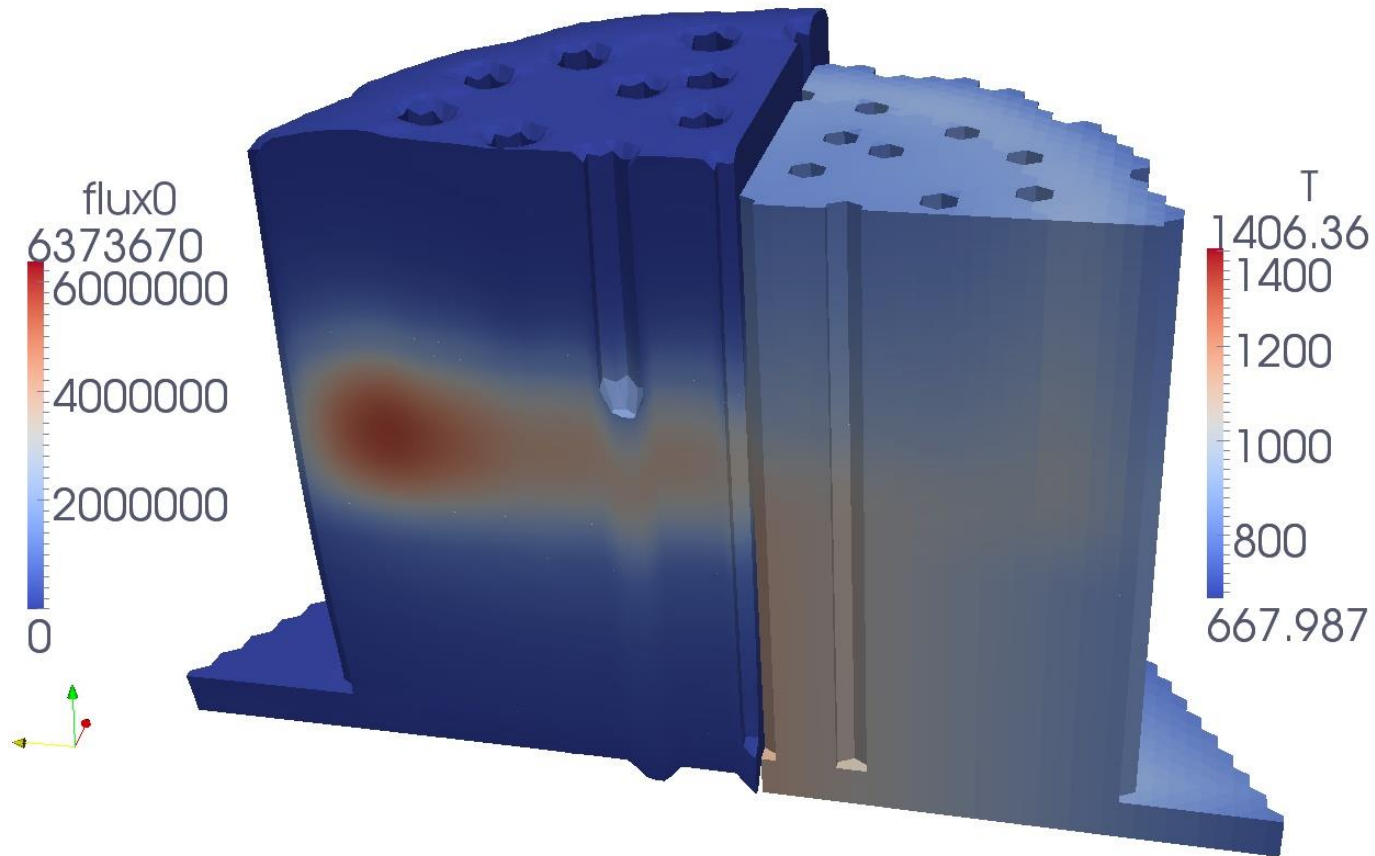
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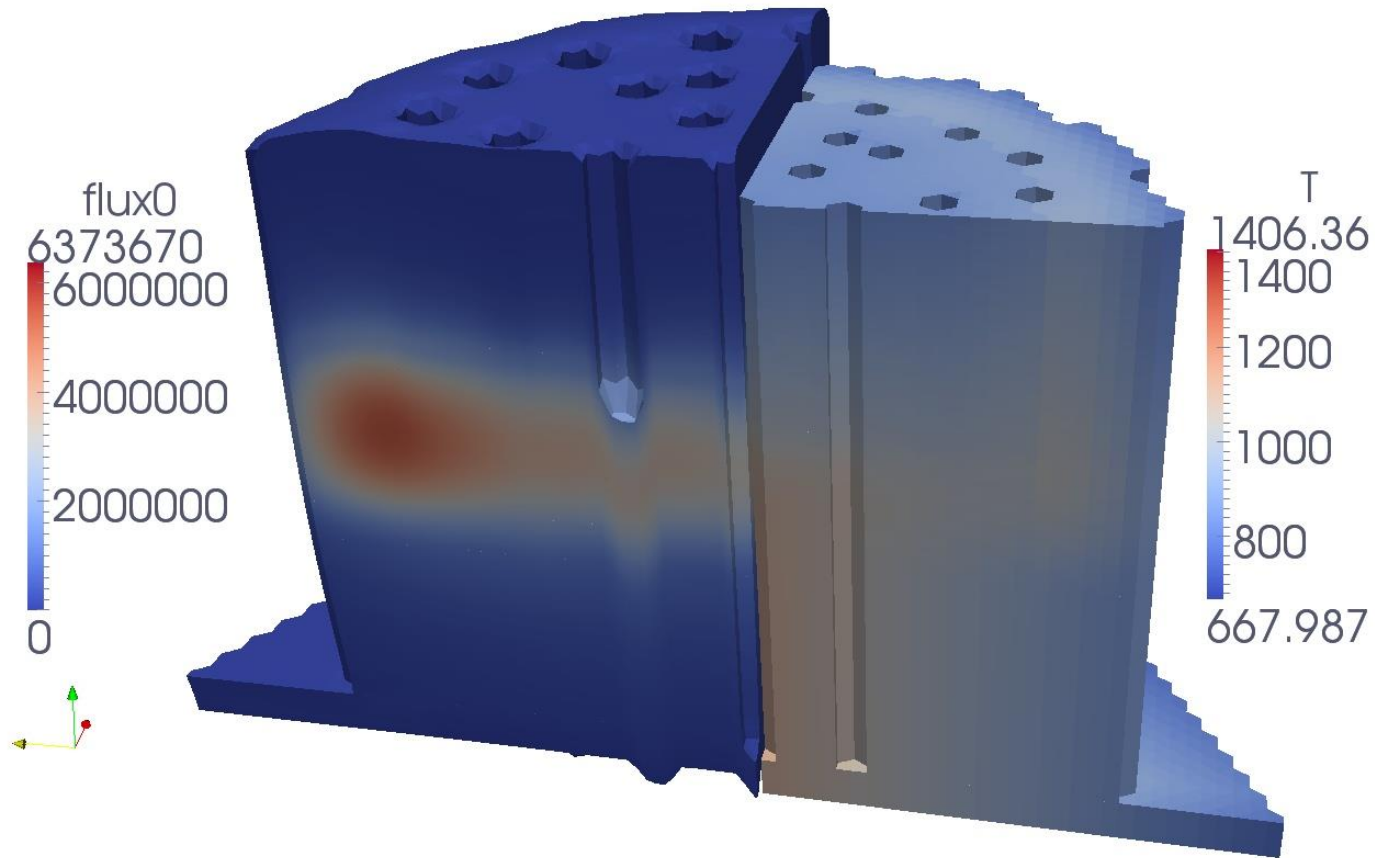
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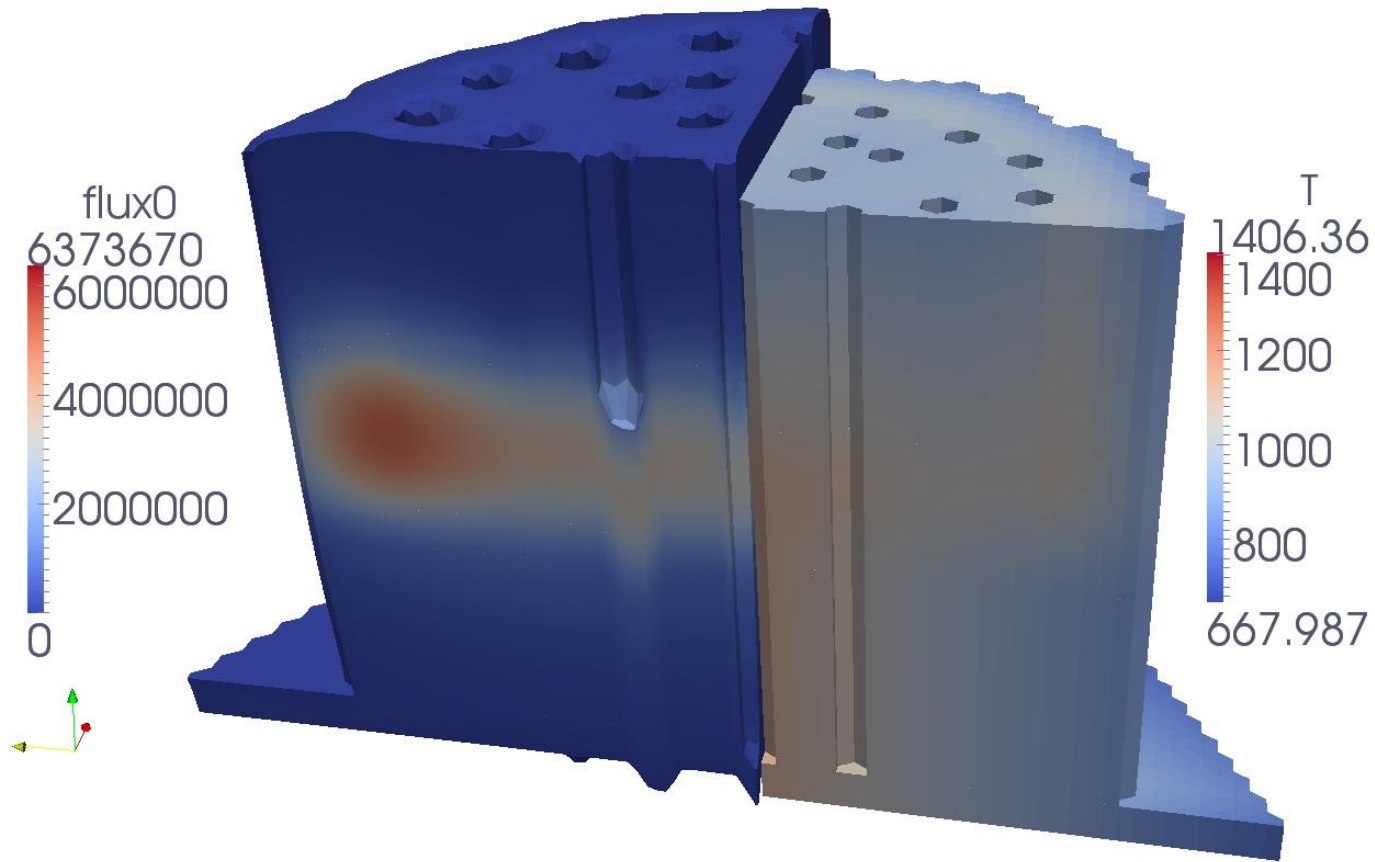
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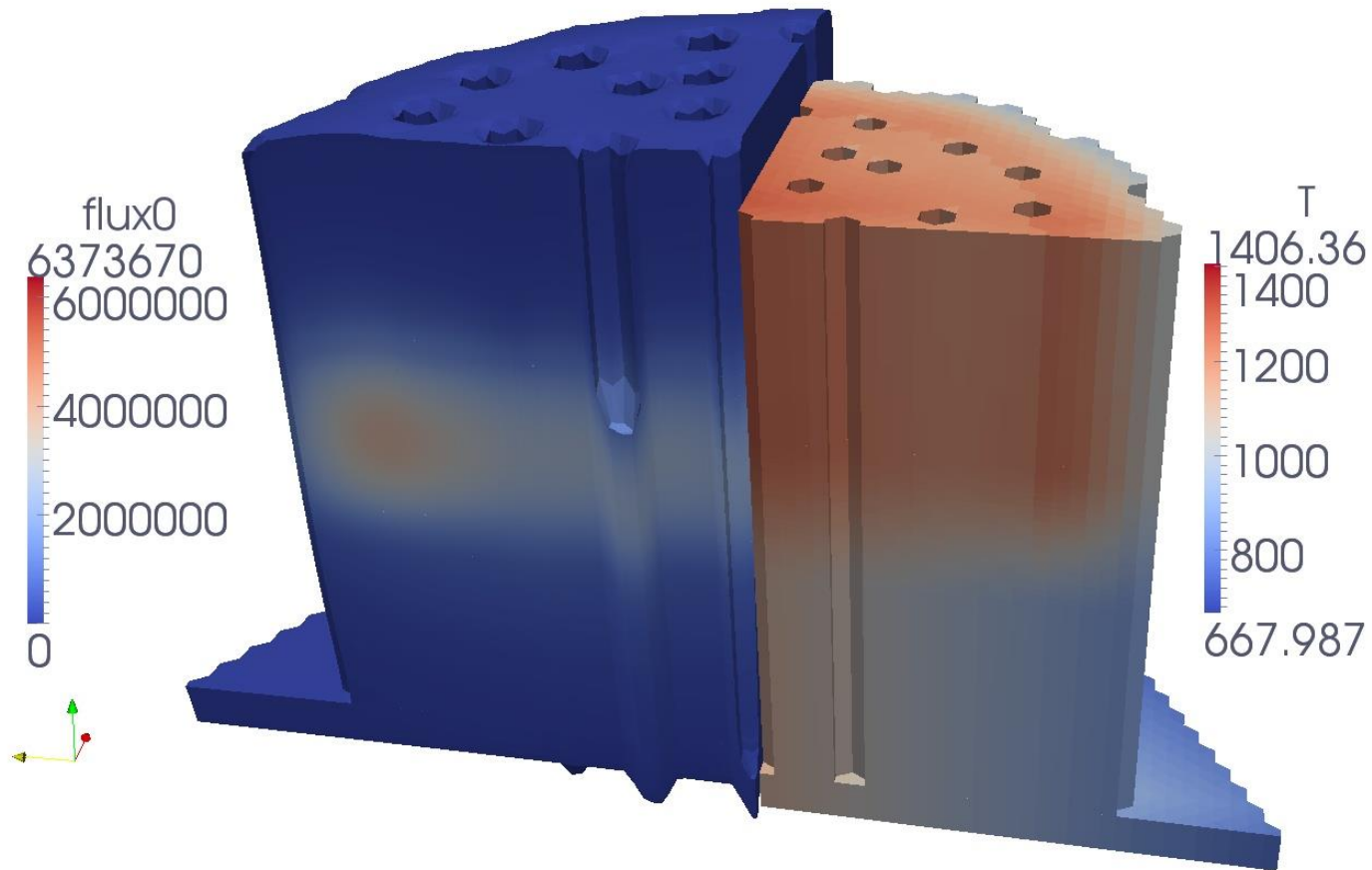
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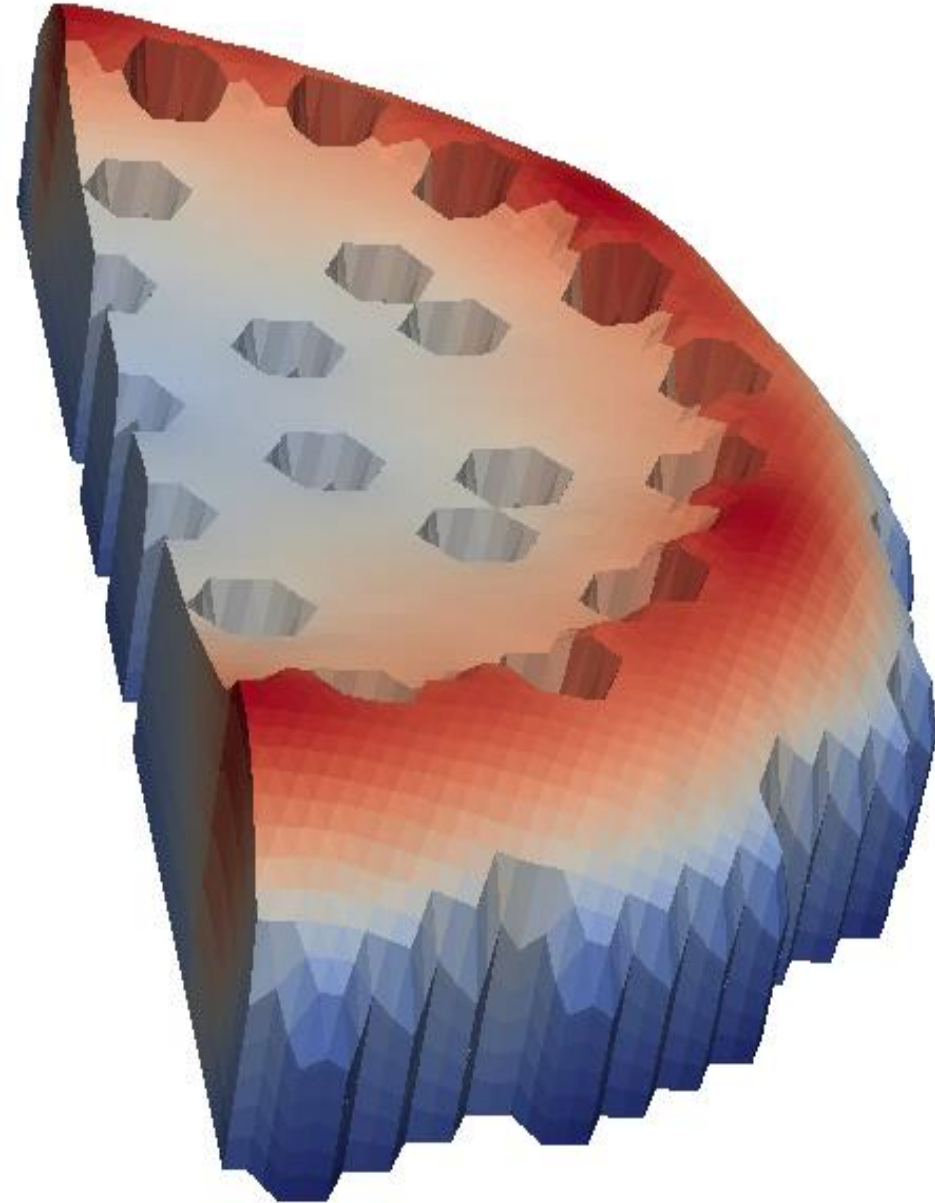


Examples – the ESFR

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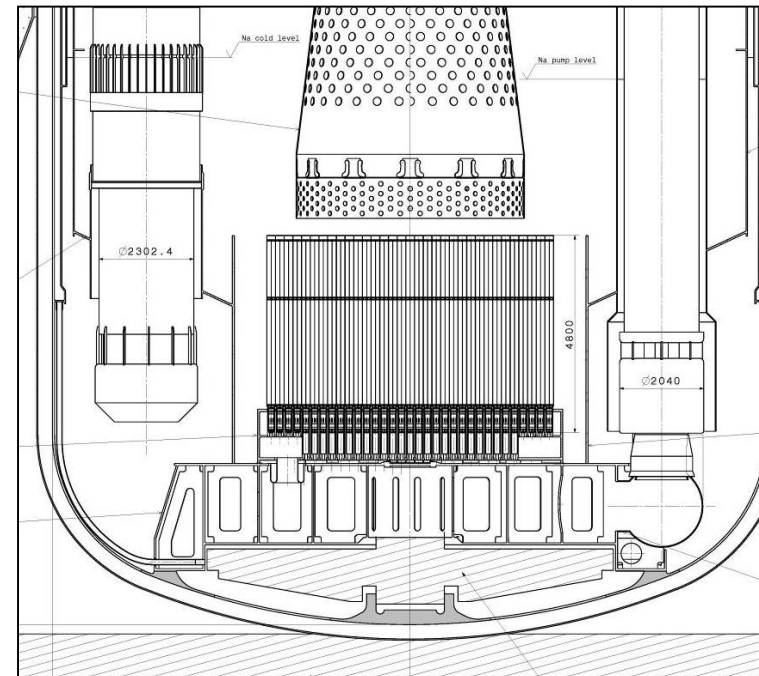


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Ongoing developments

- Coupling with the **TRANSURANUS fuel behavior solver**: collaboration with JRC/ITU and the University of Cambridge (external coupling)
- Inclusion of a **discrete ordinate** solver (?)
- Coupling with Serpent **Monte Carlo code for neutron transport**: collaboration with UC Berkeley
- **ROM** for control-oriented studies
- **Two-phase flow**
 - ✓ **PROBLEM**: fine-mesh Euler-Euler CMFD too computationally expensive (and not really appreciated by regulators)
 - ✓ -> need for coarse-mesh treatments



Coarse/fine mesh thermo-hydraulics

- Coarse mesh with porous medium equations for selected mesh zones (full NS + source terms):

$$\frac{\partial \gamma \rho}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u}) = 0$$

$$\frac{\partial \gamma \rho \mathbf{u}}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u} \otimes \mathbf{u}) = \nabla \cdot (\mu_T \nabla \mathbf{u}) - \nabla \gamma p + p_i \nabla \gamma + \gamma \mathbf{F}_g + \gamma \mathbf{F}_{ss}$$

$$\mathbf{F}_{ss} = \kappa(\mathbf{u}_D) \cdot \mathbf{u}_D$$

$$\kappa(\mathbf{u}_D)_{ii} = \frac{f_{D,i} \rho u_{D,i}}{2D_h \gamma^2}$$

$$f_{D,i} = A_{f_{D,i}} Re^{B_{f_{D,i}}}$$

$$\frac{\partial \gamma \rho e}{\partial t} + \nabla \cdot (\mathbf{u} \gamma (\rho e + p)) = \nabla \cdot (\gamma k_T \nabla T) + \gamma \mathbf{F}_{ss} \cdot \mathbf{u} + \gamma \dot{Q}_{ss}$$

$$\dot{Q}_{ss} = A_V h (T_{SS} - T)$$

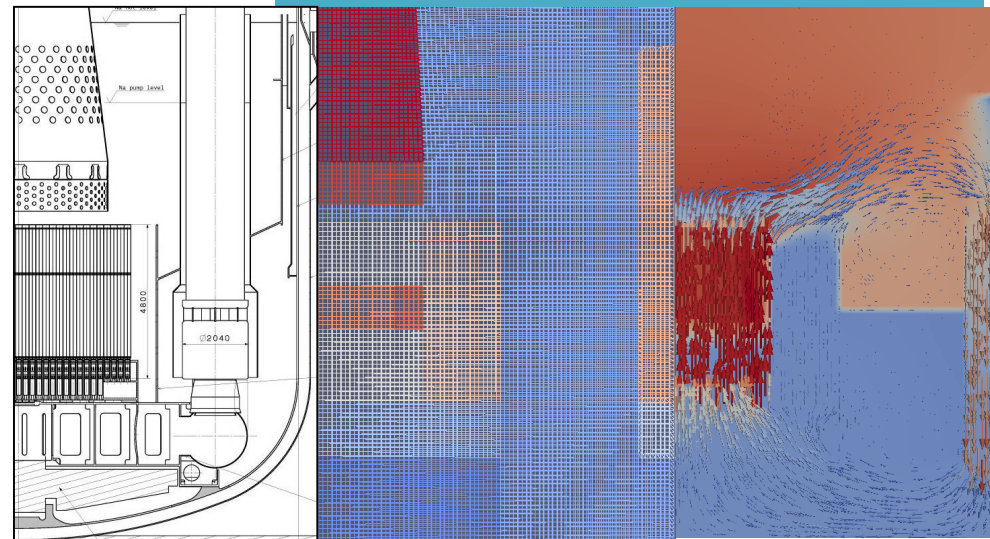
$$Nu_i = A_{Nu,i} Re^{B_{Nu,i}} Pr^{C_{Nu,i}} + D_{Nu,i}$$

$$\rho_{SS} c_{p,SS} \frac{\partial T_{SS}}{\partial t} = \nabla \cdot (\gamma \mathbf{k}_{SS} \nabla T) + A_V h (T - T_{SS})$$

- Equivalent to 1D in main flow direction, but possibility to investigate some 3D effects
- One set of equations (“porous terms” disappear in clear fluid): implicit “natural” coupling between porous and clear zones

```
fvm::ddt(rho, U)
+ (1/porosity)*fvm::div(phi, U)
+ turb.divDevRhoReff(U)
- porousMedium.momentumSource(U)
```

```
fvm::ddt(rho*porosity, he) +
fvm::div(phi, he) +
fvc::ddt(rho*porosity, K) +
fvc::div(phi, K) +
fvc::div(fvc::absolute(phi/fvc::interpolate(rho), U), p, "div(phi,v,p)") -
fvm::laplacian(turb.alphaEff(), he)
==
porousMedium.externalVolHeatSource() -
porousMedium.heatTransferCoefficient()*
porousMedium.volumetricArea()
*(thermo.T()-Tstructures) +
subscaleFuel.heatSources(...)
```



Coarse/fine mesh thermo-hydraulics

- Coarse mesh with porous medium equations for selected mesh zones (full NS + source terms):

$$\frac{\partial \gamma \rho}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u}) = 0$$

$$\frac{\partial \gamma \rho \mathbf{u}}{\partial t} + \nabla \cdot (\gamma \rho \mathbf{u} \otimes \mathbf{u}) = \nabla \cdot (\mu_T \nabla \mathbf{u}) - \nabla \gamma p + p_i \nabla \gamma + \gamma \mathbf{F}_g + \gamma \mathbf{F}_{ss}$$

$$\mathbf{F}_{ss} = \kappa(\mathbf{u}_D) \cdot \mathbf{u}_D$$

$$\kappa(\mathbf{u}_D)_{ii} = \frac{f_{D,i} \rho u_{D,i}}{2D_h \gamma^2}$$

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$$\frac{\partial \gamma \rho e}{\partial t} + \nabla \cdot (\mathbf{u} \gamma (\rho e + p)) = \nabla \cdot (\gamma k_T \nabla T) + \gamma \mathbf{F}_{ss} \cdot \mathbf{u} + \gamma \dot{Q}_{ss}$$

$$\dot{Q}_{ss} = A_V h (T_{SS} - T)$$

$$Nu_i = A_{Nu,i} Re^{B_{Nu,i}} Pr^{C_{Nu,i}} + D_{Nu,i}$$

$$\rho_{SS} c_{p,SS} \frac{\partial T_{SS}}{\partial t} = \nabla \cdot (\gamma \mathbf{k}_{SS} \nabla T) + A_V h (T - T_{SS})$$

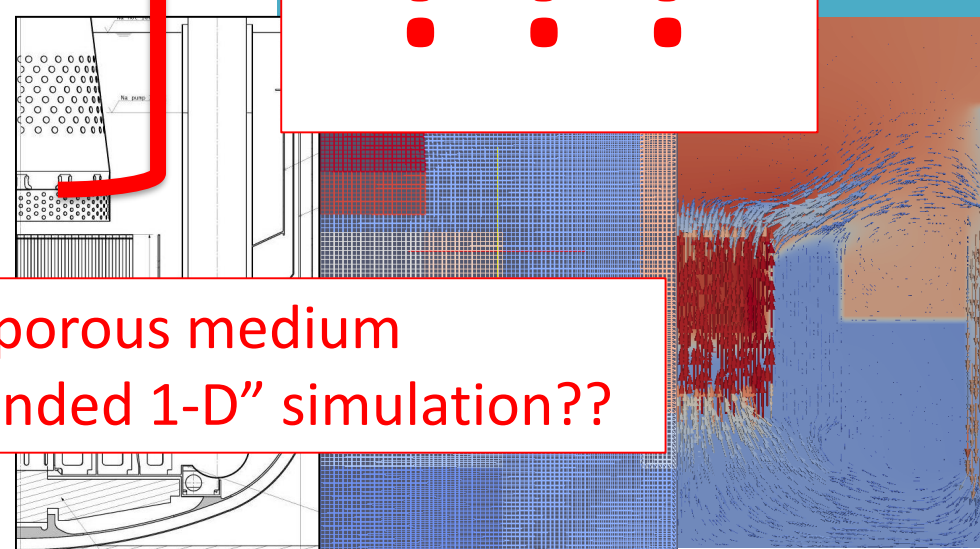
- Equivalent to 1D in main flow direction, but possibility to investigate some 3D effects

- One set of equations in clear flow zones and porous and clear zones

Euler – Euler 2-fluids porous medium approach for an “extended 1-D” simulation??

```
fvm::ddt(rho, U)
+ (1/porosity)*fvm::div(phi, U)
+ turb_divDevRhoEff(U)
```

X 2
???





Thank you for your attention

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